

A minimal Beta Beam with high-Q ions to address CP violation in the leptonic sector

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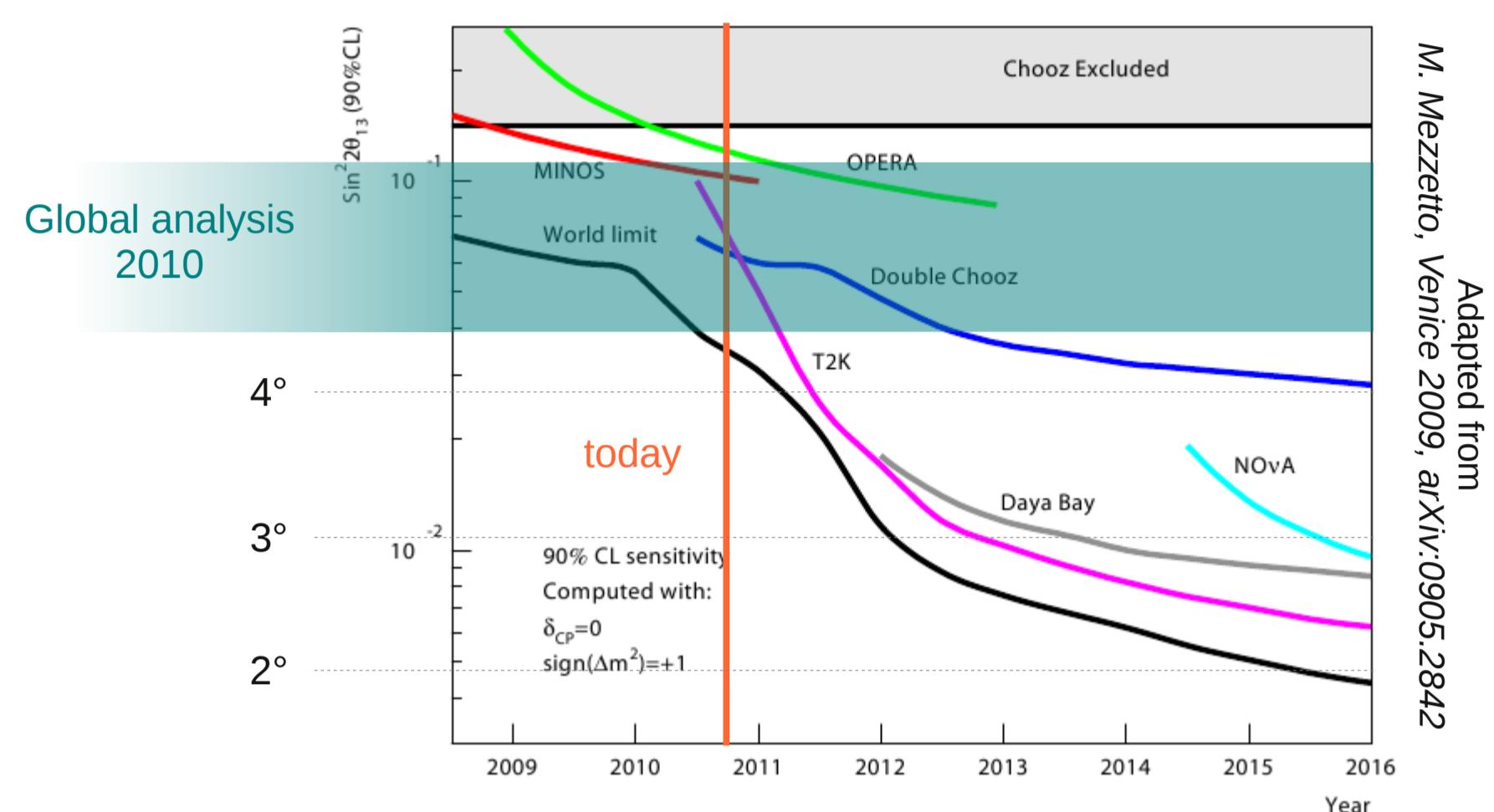
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We consider a Beta Beam setup that tries to leverage at most existing European facilities: i.e. a setup that takes advantage of facilities at CERN to boost high-Q ions (${}^8\text{Li}$ and ${}^8\text{B}$) aiming at a far detector located at $L = 732$ Km in the Gran Sasso Underground Laboratory. The average neutrino energy for ${}^8\text{Li}$ and ${}^8\text{B}$ ions boosted at $\gamma \sim 100$ is in the range $E_\nu \in [1, 2]$ GeV, high enough to use a large iron detector of the MINOS type at the far site. We perform, then, a study of the neutrino and antineutrino fluxes needed to measure a CP-violating phase δ in a significant part of the parameter space. In particular, for $\theta_{13} \geq 3^\circ$, if an antineutrino flux of 3×10^{19} useful ${}^8\text{Li}$ decays per year is achievable, we find that δ can be measured in 60% of the parameter space with 3×10^{18} useful ${}^8\text{B}$ decays per year.

Status of θ_{13} search



If combined analysis hints are confirmed by the present generation experiments (T2K and reactors), a $\theta_{13} > 2\text{-}3^\circ$ measurement would allow to measure CP violation with next upgrades of already existing facilities

Possible beta beam designs

Original design: low-Q isotopes

Ion isotope production with ISOL techniques

Low-Q ions: ${}^6\text{He}$ ($Q=3.51$ MeV), ${}^{18}\text{Ne}$ ($Q=3.41$ MeV)

SPS as terminal booster γ up to ~ 450 Z/A

Neutrino energy ($\sim \gamma Q$) < 0.5 GeV (${}^6\text{He}$), < 0.9 GeV (${}^{18}\text{Ne}$)



Short baseline
Huge low density detectors
Large underground infrastructures

An investigated possible option

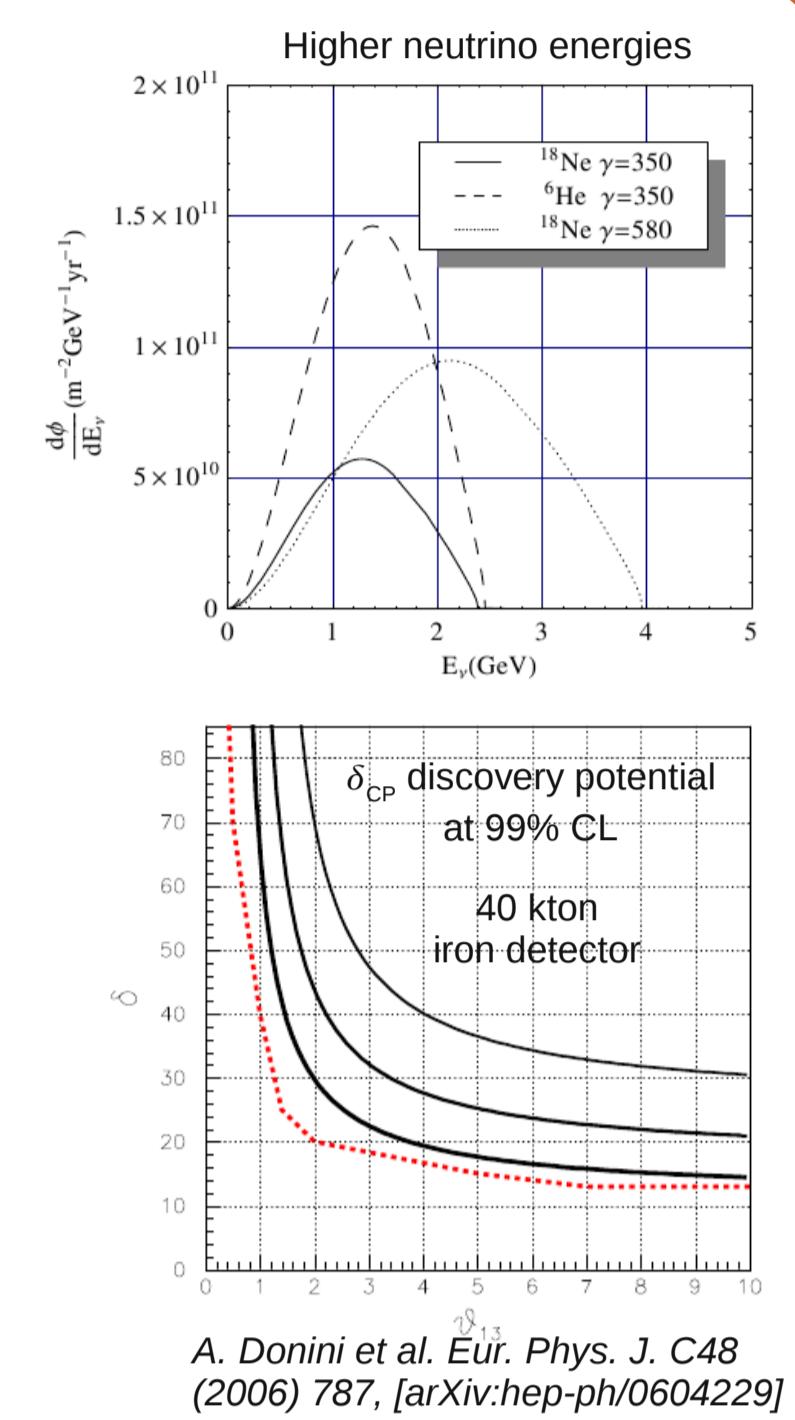
Ion isotope production with ISOL techniques

Low-Q ions: ${}^6\text{He}$ ($Q=3.51$ MeV), ${}^{18}\text{Ne}$ ($Q=3.41$ MeV)

"Super-SPS" as terminal booster (1 TeV) γ up to 350



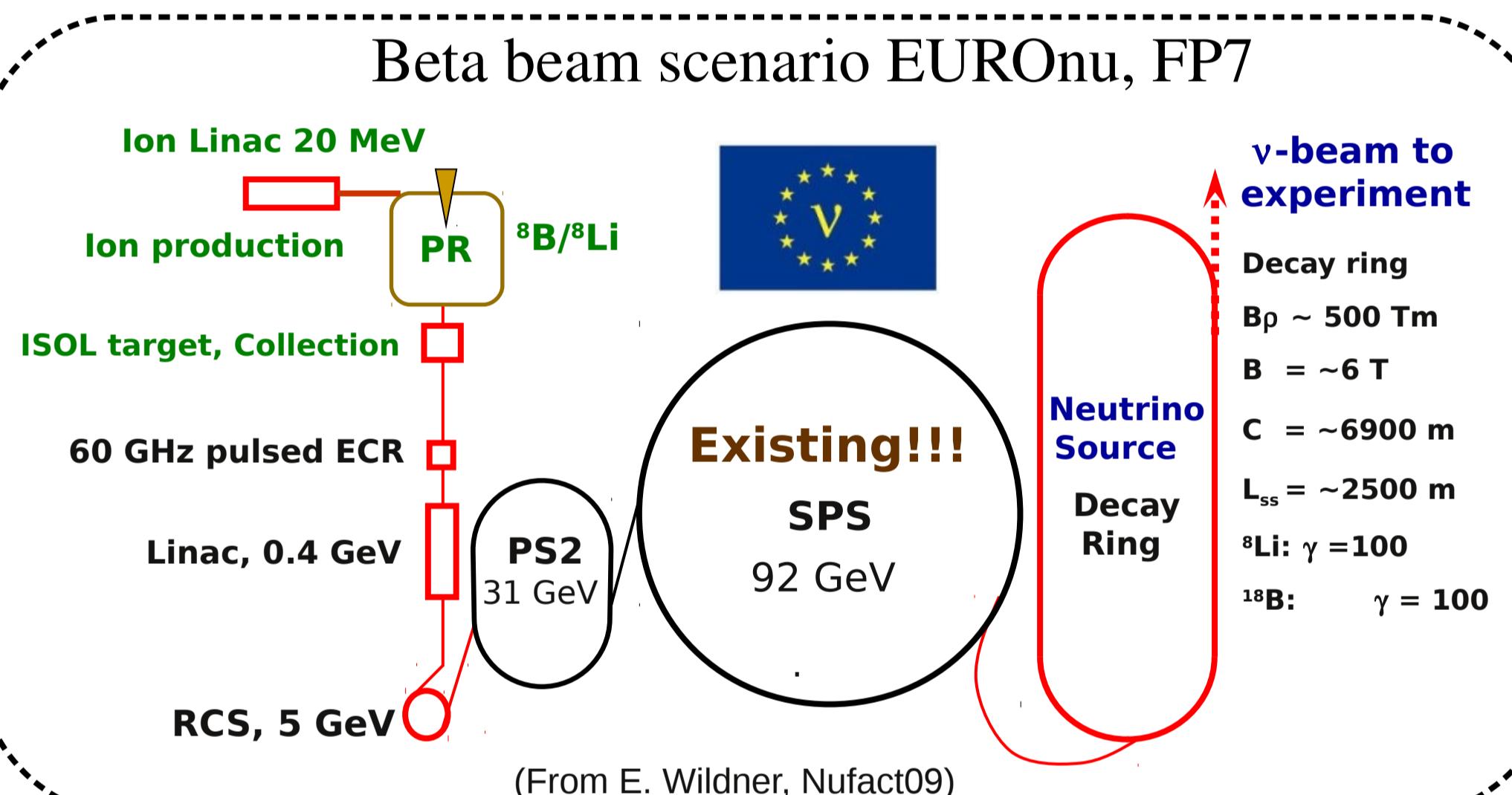
Enough energy to consider:
- high density detectors
- longer baselines (e.g. CERN to Gran Sasso distance)



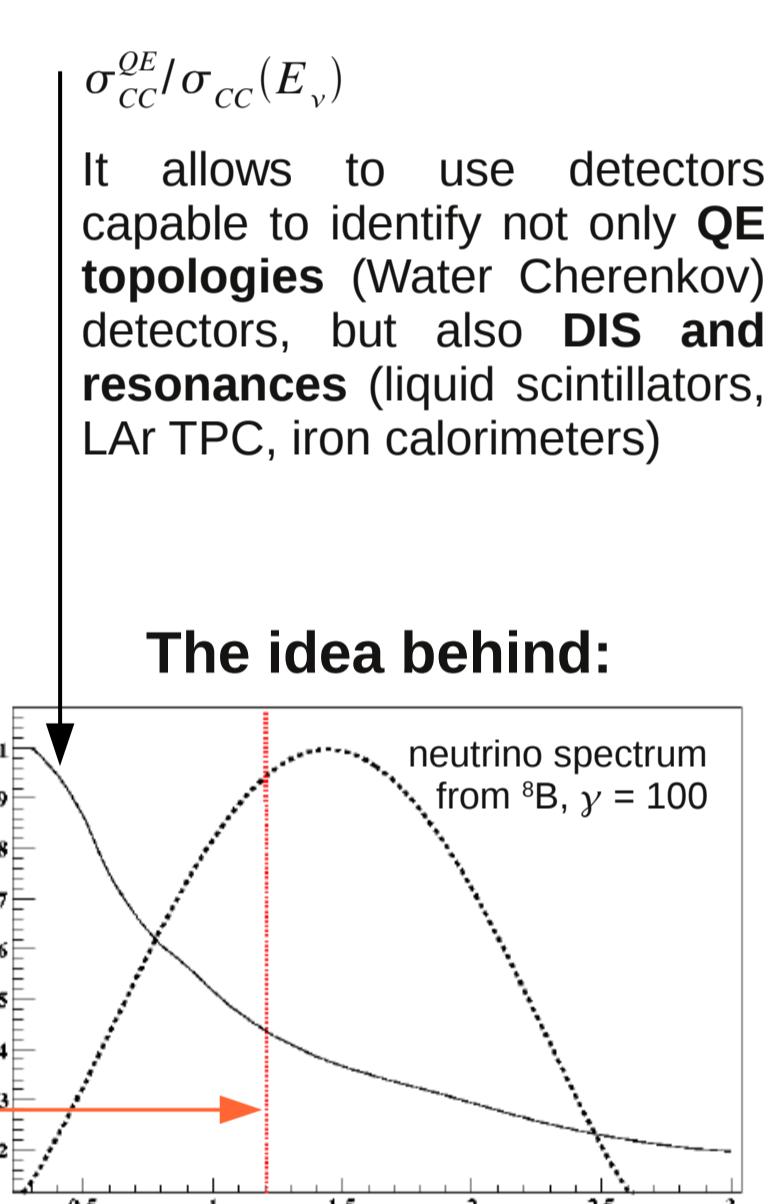
The high-Q beta beam option

A configuration exploiting at most existing facilities

Isotopes with higher Q like ${}^8\text{Li}$ ($\bar{\nu}_e$) and ${}^8\text{B}$ (ν_e) and $\gamma = 100$



Facility based on:
- ${}^8\text{Li}$ and ${}^8\text{B}$ ions
- boosted by a PS upgrade (PS2)
- accelerated by the present SPS
- neutrinos produced by decay ring
- pointing to Gran Sasso Laboratories



Why was this option not considered at the beginning?

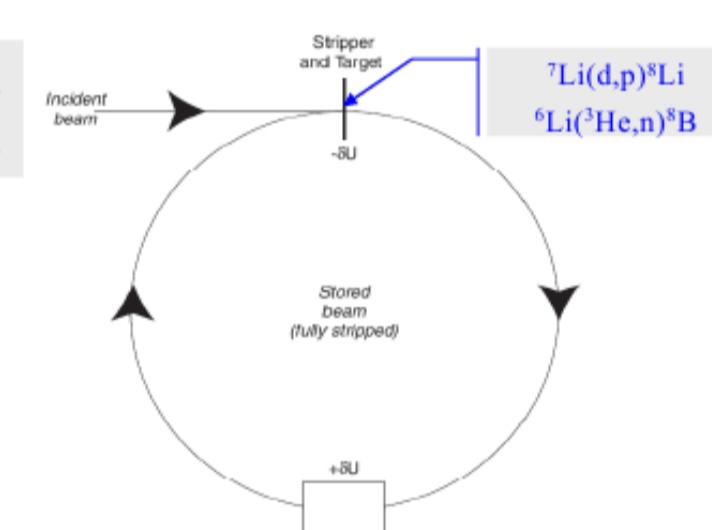
Roughly, the number N of neutrino events is proportional to: $N \simeq \frac{N_\beta(\gamma) \cdot \gamma}{Q}$ (N_β = number of useful ion decays per year)

Clearly, reducing γ and increasing Q is counterproductive

Why is this option now considered?

Non standard techniques to produce low-Z, high-Q ions show that high rates can be reached

[Rubbia et al., NIM A 568 (2006) 475;
Mori, NIM A 562 (2006) 591]



Physics performances

CP discovery potential
 $\text{sgn}(\Delta m^2_{23})$ reach } as function of $\sin^2(2\theta_{13}), \delta_{\text{CP}}$
Beam flux intensities

Considered baseline for ${}^8\text{B}$ and ${}^8\text{Li}$ fluxes is $F_0 = 3 \times 10^{18}$ useful ion decays per year

Iron calorimeter detector mass considered is 100 kton
Distance = 732 km (CERN to LNGS)

Data taking duration: 5 + 5 years

Sensitivity to the CP-violating phase

as a function of flux intensities
and for several $\delta_{\text{CP}}, \theta_{13}$ scenarios

Even with maximal CP violation ($|\delta_{\text{CP}}| = 90^\circ$) and $\theta_{13} = 5^\circ$ the baseline (●) cannot establish CP violation

Maximal CP violation can be established for:

$$\theta_{13} = 5^\circ \quad \text{if } F^{\bar{\nu}} = 1.4 F_0 \\ \theta_{13} = 3^\circ \quad \text{if } F^{\bar{\nu}} = 3 F_0$$

$F^{\bar{\nu}}$ can be fixed to the baseline F_0

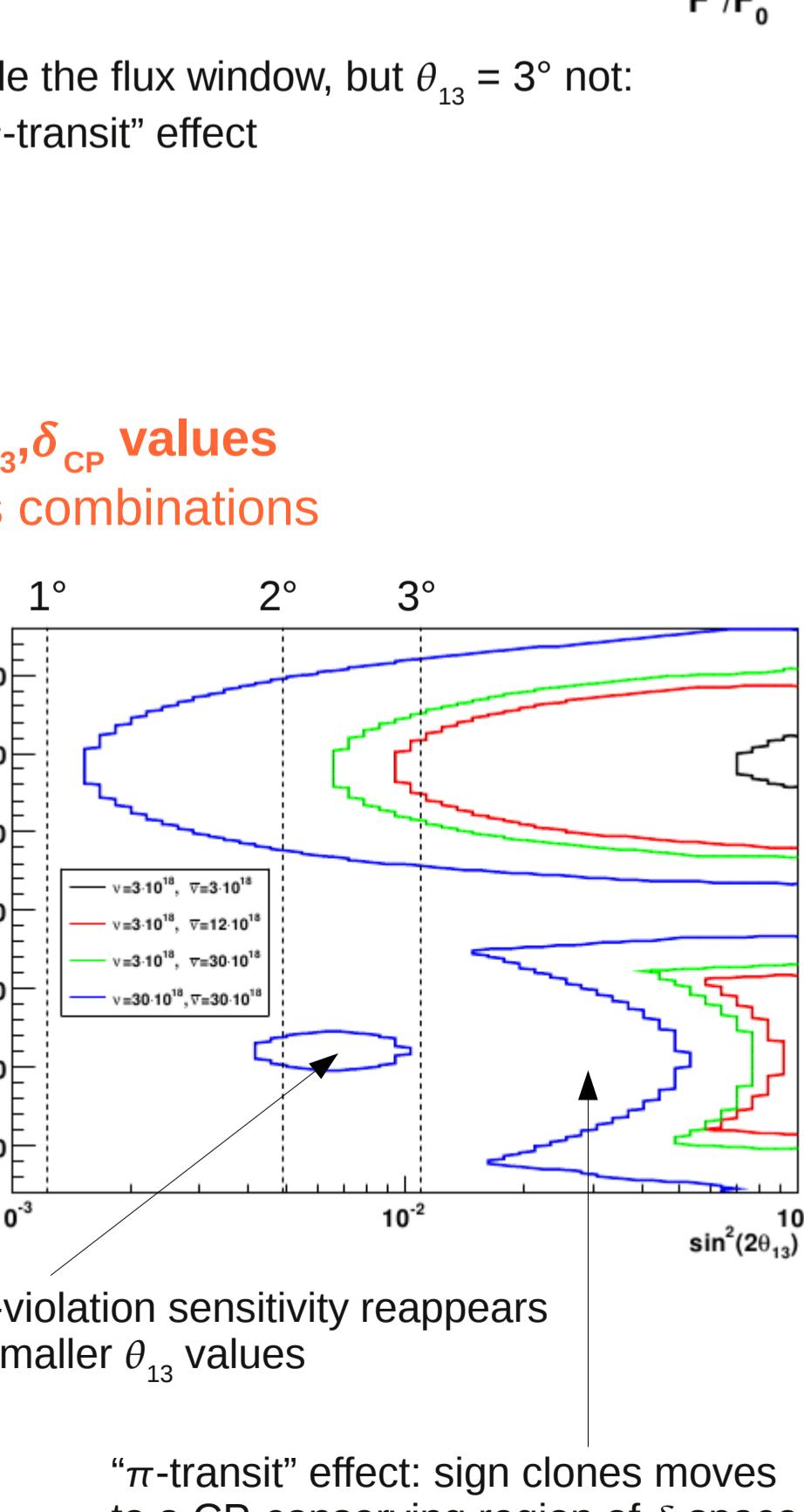
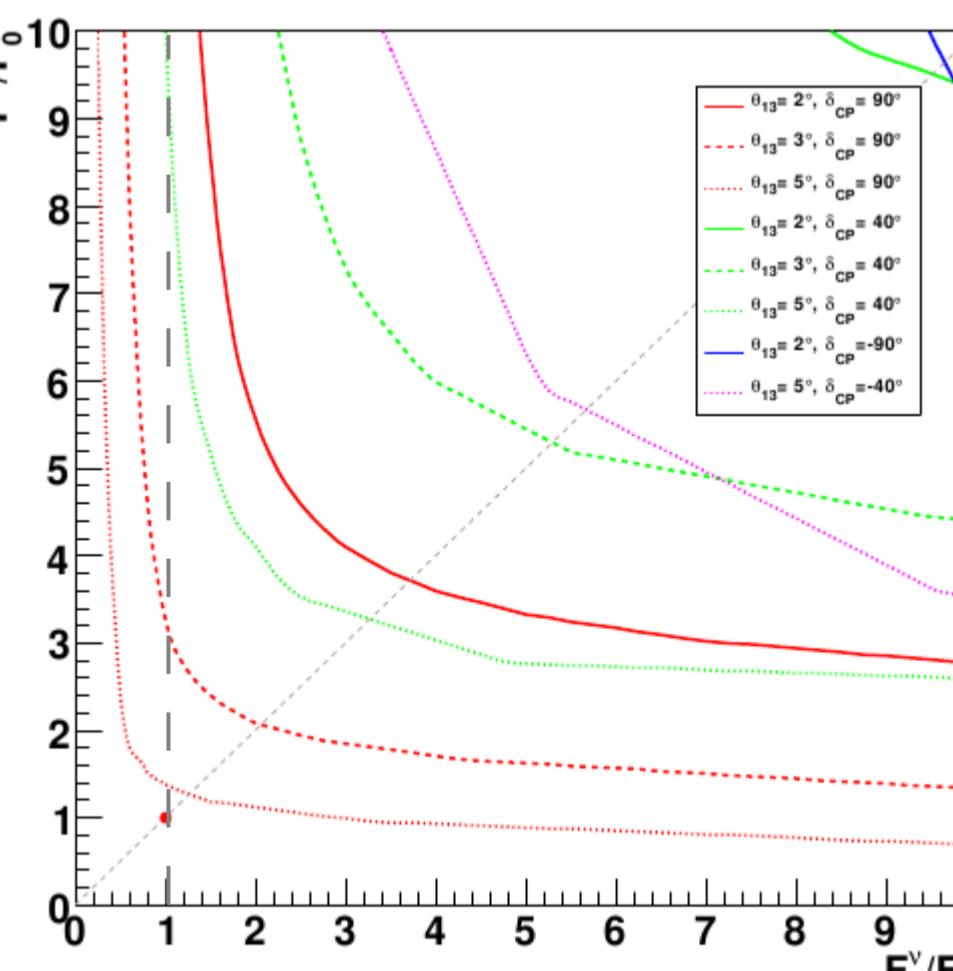
Note: for negative deltas, $\theta_{13} = 2^\circ$ is inside the flux window, but $\theta_{13} = 3^\circ$ not: this is due to the "π-transit" effect

as a function of $\theta_{13}, \delta_{\text{CP}}$ values
and for several fluxes combinations

- 1) baseline
- 2) $\bar{\nu}$ flux increased by 4: great improvement
- 3) $\bar{\nu}$ flux further increased ($10F_0$): poor improvement
- 4) ν flux increased by 10: great improvement

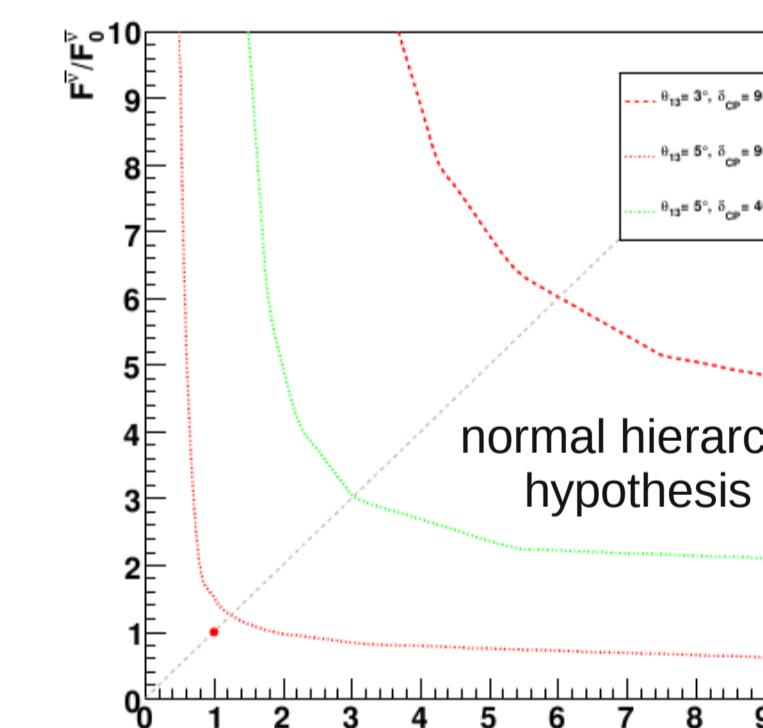
After increasing anti-neutrino flux by a factor ~4, we cannot improve so much unless we don't increase neutrino flux as well

With $F^{\bar{\nu}} = 3 \times 10^{19}$, $F^{\nu} = 3 \times 10^{18}$ and if $\theta_{13} > 3^\circ$, then a $\delta_{\text{CP}} > 0$ can be measured in 60% of the parameter space

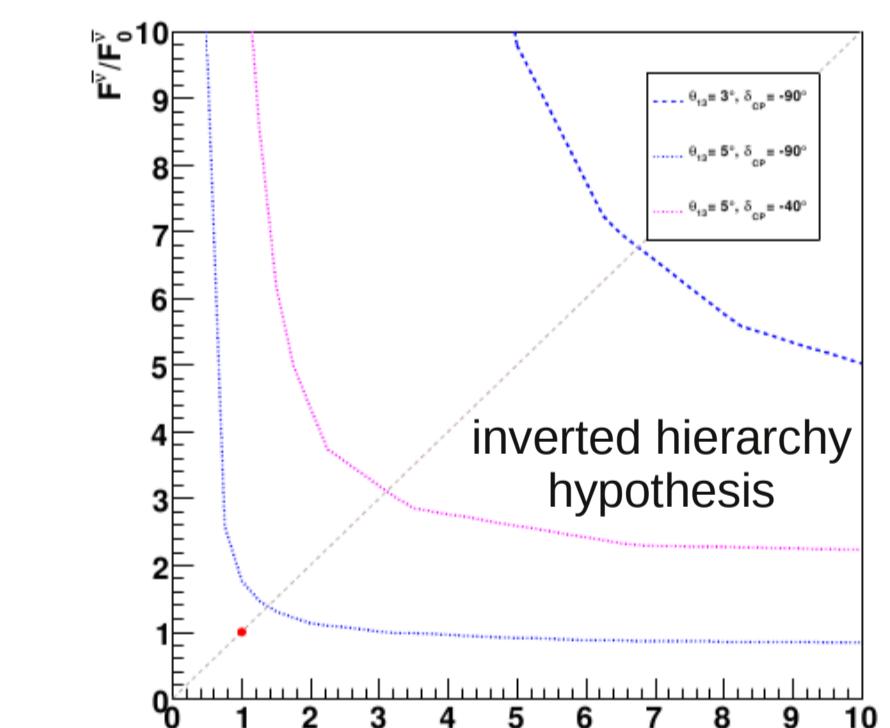


Sensitivity to the neutrino mass hierarchy

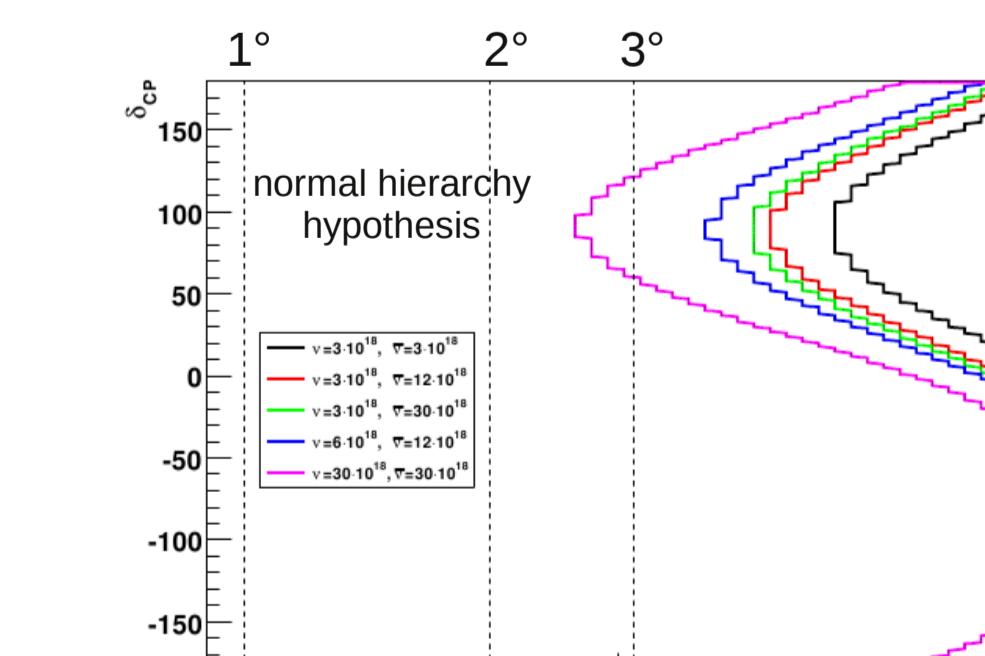
as a function of flux intensities
and for several $\delta_{\text{CP}}, \theta_{13}$ scenarios



Sensitive to the mass hierarchy if:
 $\theta_{13} > 5^\circ$, $\delta_{\text{CP}} = 90^\circ$ (normal hierarchy) or -90° (inverted hierarchy)
with fluxes $F^{\bar{\nu}} = 1.5 F_0$ and $F^{\nu} = F_0$



as a function of $\theta_{13}, \delta_{\text{CP}}$ values
and for several fluxes combinations



Matter effect not dominant: sensitivity only in small part of the parameter space.
Opposite $\text{sgn}(\Delta m^2_{23})$ determines an opposite sensitivity of $\text{sgn}(\delta_{\text{CP}})$

With a magnetized iron detector, a combined analysis between Beta beam and atmospheric neutrinos can improve the sensitivity on the mass hierarchy (as noted in A. Donini et al., Eur. Phys. J. C 53 (2008) 599)

With the present setup and with:

$$F^{\bar{\nu}} = F^{\nu} = 10 F_0$$

we gain sensitivity also at $\delta_{\text{CP}} < 0$ starting from $\sin^2(2\theta_{13}) \sim 3 \times 10^{-2}$

