

# Physics in Top Quark decays

- the decay of the top quark in the Standard Model and beyond
- using b-tagging to study the decay  $t \rightarrow Wb$ 
  1. measuring the branching ratio
  2. using  $BR(t \rightarrow Wb)$  as a constraint to measure the b-tagging efficiency
- obtaining Jet Energy Scale corrections from mass constraints
- resonances in the top quark pair mass spectrum

Somewhere in India anno 2006

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**1 In the Standard Model the quarks obtain their mass via EW symmetry breaking**

$$\mathcal{L}_Y = \sum_{ij} y_{ij}^D \bar{D}_R^i \phi^\dagger Q_L^j + \sum_{ij} y_{ij}^U \bar{U}_R^i \bar{\phi}^\dagger Q_L^j + \text{h.c.}$$

- ✓ where  $\phi$  is a doublet under  $SU(2)$  and has hypercharge  $\frac{1}{2}$
- ✓ when  $\phi^\dagger = (0 \ v)$  these interactions give masses to the quarks as  $m_q = y_q v$
- ✓ collecting all the mass terms leads to the CKM matrix, a unitary matrix that couples top and  $W$  to all the down, strange and bottom quarks :  $\mathcal{A}(t \rightarrow Wq) \propto V_{tq}$
- ✓ we can study the Standard Model production of top quarks or top quark pairs

**2 'Theorists at work' : replace this structure with something else ...**

- ✗ most of the times with more fields
- ✓ the top quark couples most strongly to the EW symmetry breaking sector

**3 The large mass leads to a large top quark width ( $\Gamma_t \sim 1.5 \text{ GeV}$ )**

- ✓ the top quark lifetime is shorter than the typical hadronization time ( $\Lambda_{\text{QCD}}^{-1}$ )  
 $\Rightarrow$  within the SM =  $4 \times 10^{-25} \text{ s} < \tau_{\text{hadr.}} \sim 28 \times 10^{-25} \text{ s}$
- ✓ one can study the bare quark properties (no confinement)
- ✓ the weak interactions are strong and the strong interactions are weak...

# The decay of the top quark

## PRODUCTION

Cross section

## PROPERTIES

Mass (matter vs. anti-matter)

Charge

Life-time and width

Spin

## DECAY

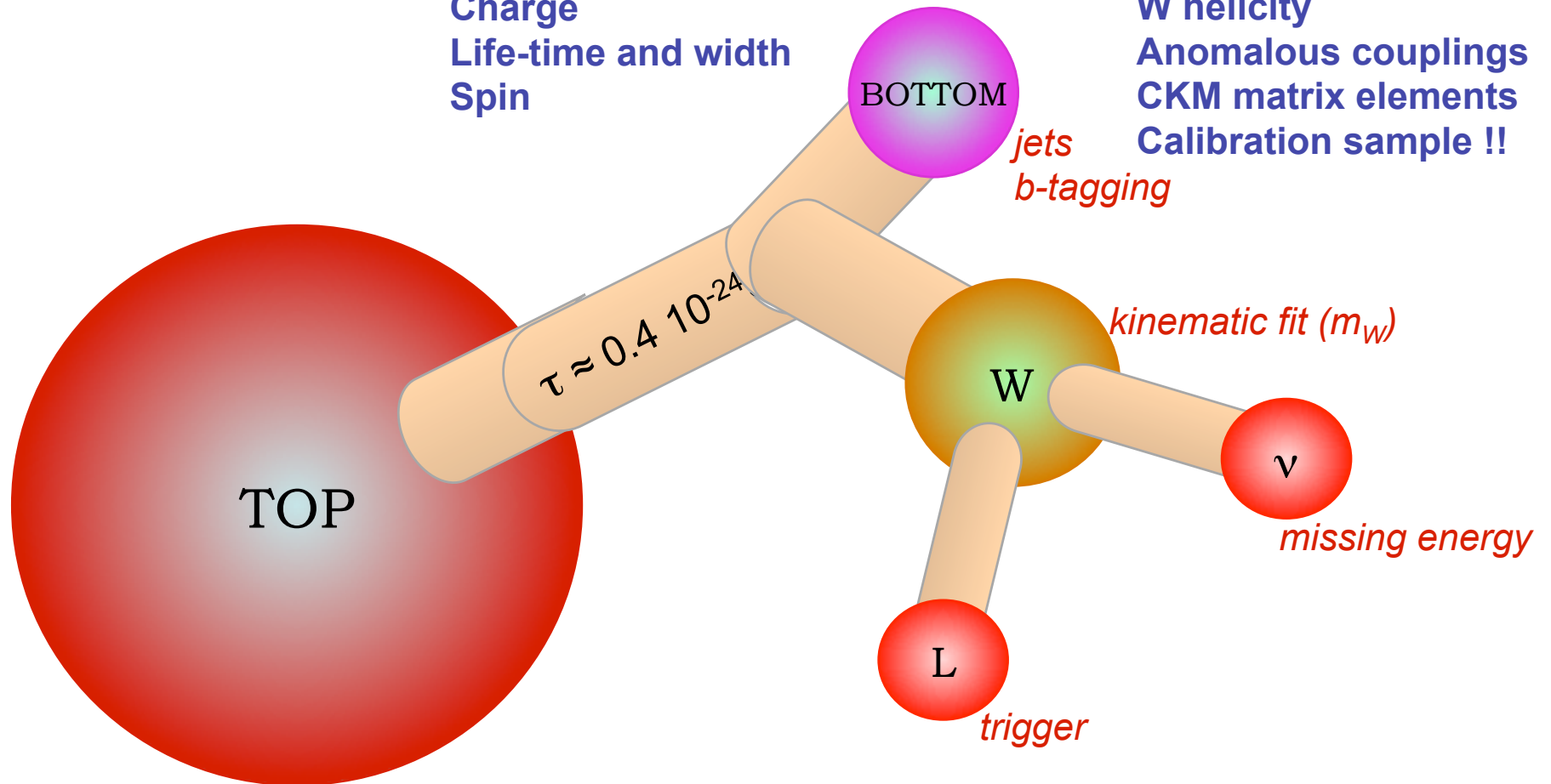
Charged Higgs

W helicity

Anomalous couplings

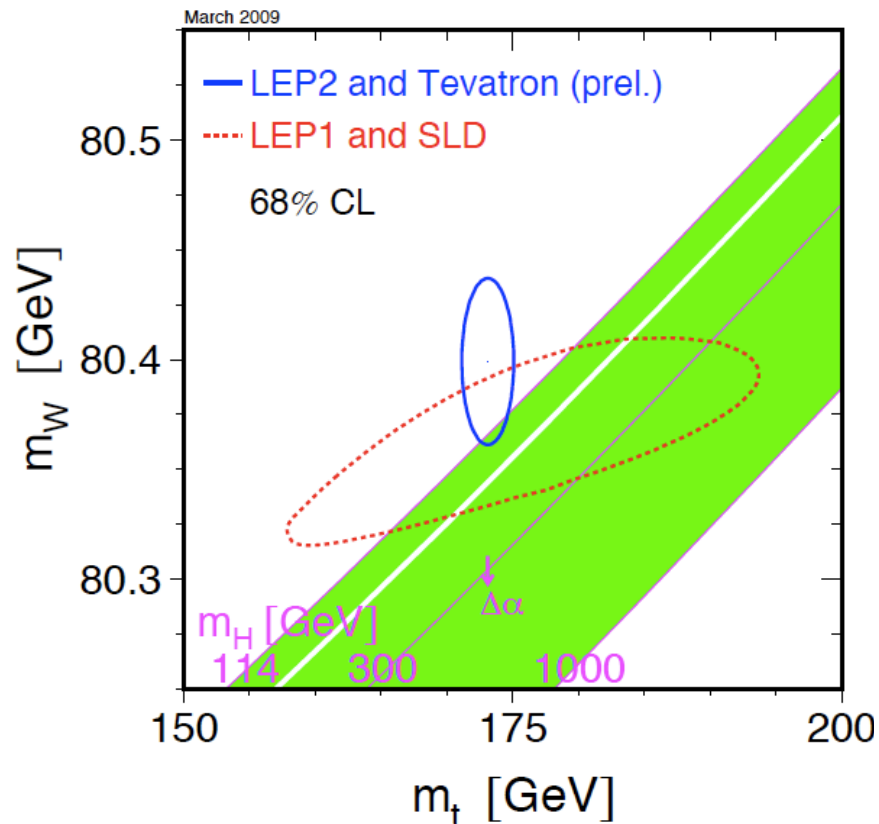
CKM matrix elements

Calibration sample !!



The LHC data will extend the Tevatron precision reach and allow new topics.

- First measurements achieved at the Tevatron (only a selection!)

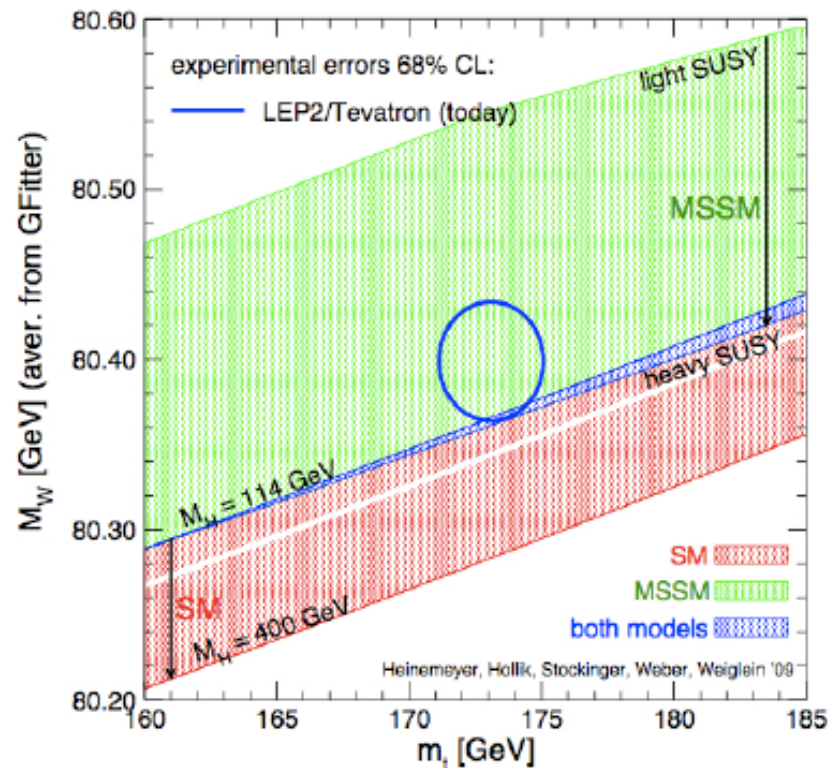


Parameter	CDF	95% CL	D0
mass (comb)	<b><math>173.1 \pm 0.6 \pm 1.1</math> GeV</b>		
width	< 13.1 GeV		
lifetime	$c\tau_{\text{top}} < 52.2$ $\mu\text{m}$		
charge	excl. -4/3 @ 87%	excl. -4/3 @ 92%	
BR(t $\rightarrow$ Wb)/ BR(t $\rightarrow$ Wq)	> 0.61		> 0.79
F0	$0.66 \pm 0.16 \pm 0.05$	$0.49 \pm 0.11 \pm 0.09$	
F+	< 0.27	$0.11 \pm 0.06 \pm 0.05$	

D0 :  $m(\text{top}) - m(\text{anti-top}) = 3.8 \pm 3.7$  GeV



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D0 :  $m(\text{top}) - m(\text{anti-top}) = 3.8 \pm 3.7 \text{ GeV}$

- What is the real theoretical uncertainty (or error even) on  $m_{\text{top}}$ ?
- Which kind of top quark mass do we measure, examples:
  - Pole mass ( $m_t^{\text{pole}}$ ): Breit-Wigner pole
  - 1S mass scheme ( $m_t^{1S}$ ): threshold mass eg. in  $e^+e^- \rightarrow t\bar{t}$
  - MS-bar mass ( $m_t^{\text{MS}}(\mu)$ ): preferred by theorists
- Theoretical differences can be large...
- A calculation from the Tevatron cross section resulted in a 8 GeV difference between the pole mass and the running top quark mass (MS-bar).

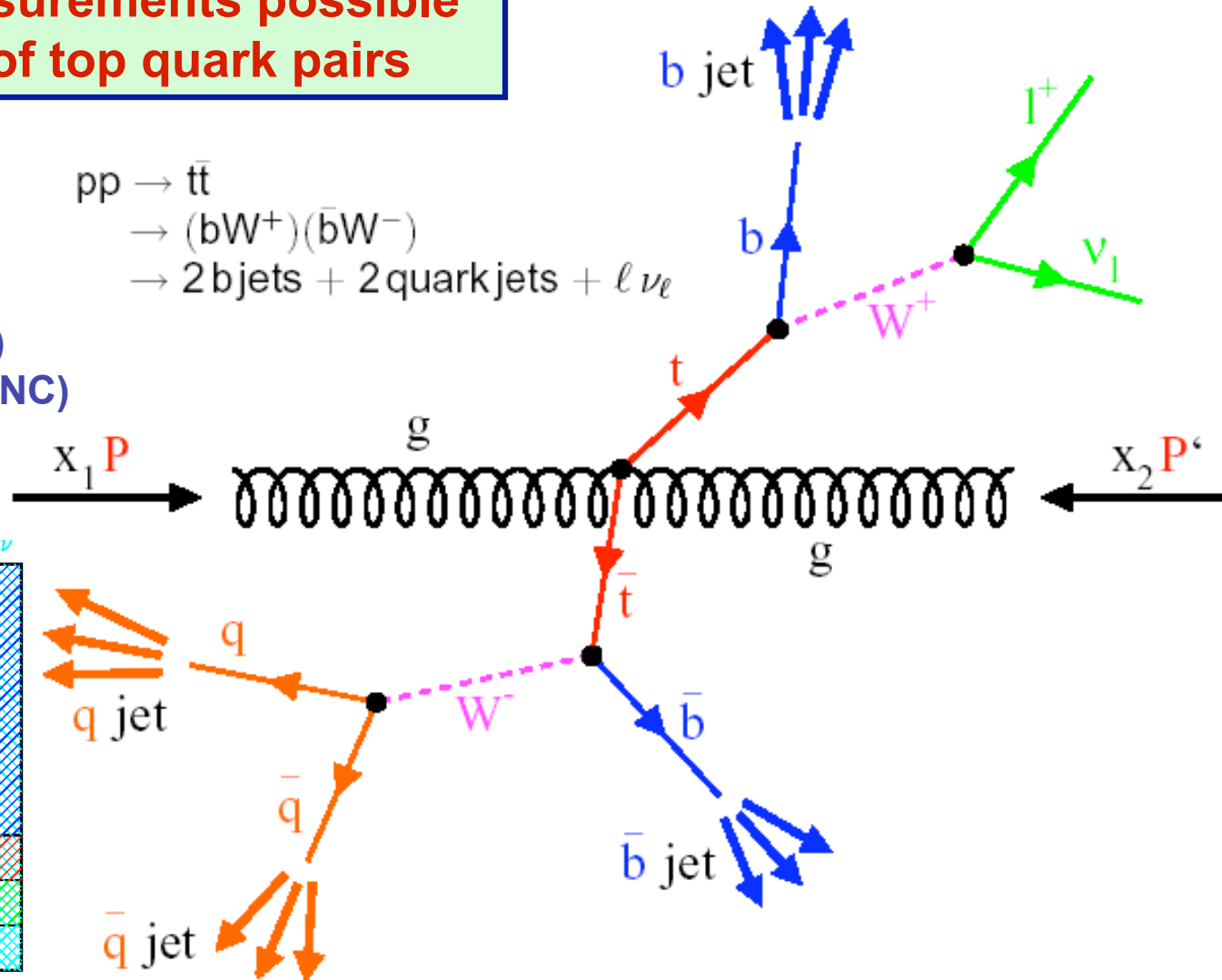
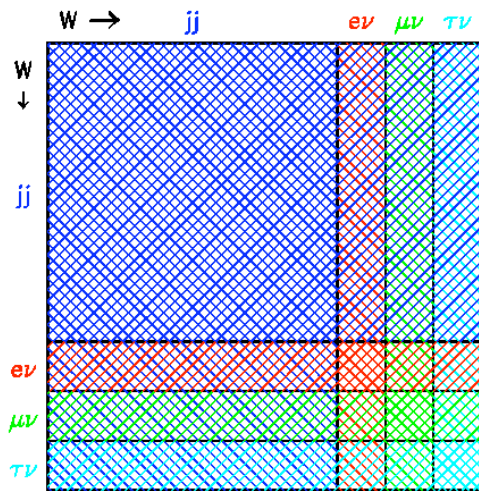
	$\bar{m}$ [GeV]	$m_t$ [GeV]
LO	$159.2^{+3.5}_{-3.4}$	$159.2^{+3.5}_{-3.4}$
NLO	$159.8^{+3.3}_{-3.3}$	$165.8^{+3.5}_{-3.5}$
NNLO	$160.0^{+3.3}_{-3.2}$	$168.2^{+3.6}_{-3.5}$

Numbers obtained from the measured Tevatron cross section  $\sigma=8.18\text{pb}$ , uncertainties are experimental.

Many new measurements possible  
in the decay of top quark pairs

Spin-correlations  
Resonances  $X \rightarrow t\bar{t}$   
Fourth generation  $t'$   
New physics (SUSY)  
Flavour physics (FCNC)

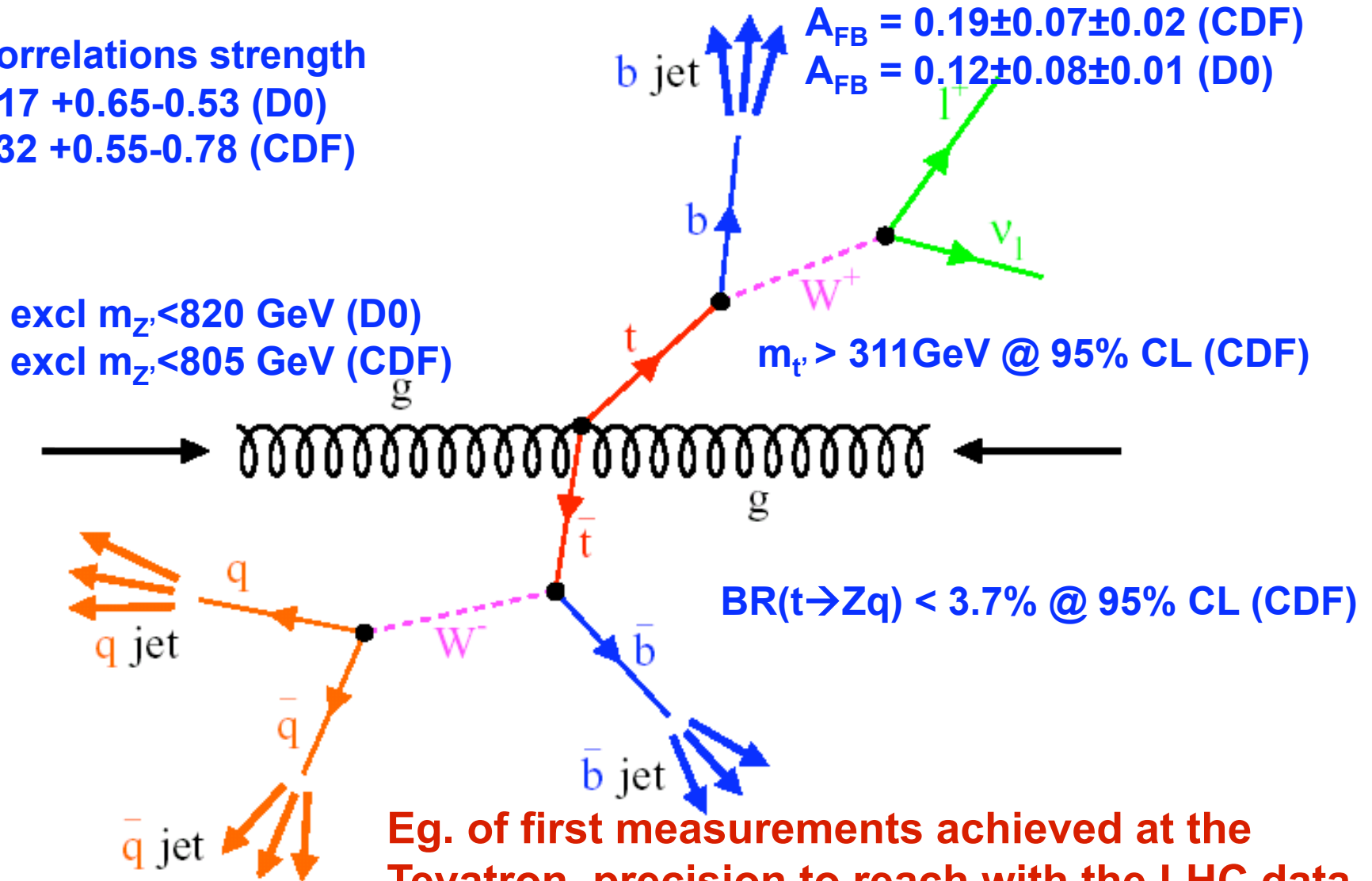
$pp \rightarrow t\bar{t}$   
 $\rightarrow (bW^+)(\bar{b}W^-)$   
 $\rightarrow 2\text{bjets} + 2\text{quarkjets} + \ell\nu_e$



Spin correlations strength

$K = -0.17 +0.65-0.53$  (D0)

$K = 0.32 +0.55-0.78$  (CDF)



**Eg. of first measurements achieved at the Tevatron, precision to reach with the LHC data**

- Also new phenomena can be hidden in the top decay...
- Flavour changing processes in the Standard Model

$$J_{\mu}^{+} = \bar{u}_L \gamma_{\mu} d_L \xrightarrow{\text{mass eigenstates}} J_{\mu}^{+} = \bar{U}_L \gamma_{\mu} V_{\text{CKM}} D_L$$

$$|V_{\text{CKM}}| = \begin{pmatrix} V_{ud} & V_{us} & V_{ub} \\ V_{cd} & V_{cs} & V_{cb} \\ V_{td} & V_{ts} & V_{tb} \end{pmatrix}$$

$$= \begin{pmatrix} 0.9738 \pm 0.0005 & 0.2200 \pm 0.0026 & (3.67 \pm 0.47) \times 10^{-3} \\ 0.224 \pm 0.012 & 0.996 \pm 0.013 & (41.3 \pm 1.5) \times 10^{-3} \\ ? & ? & ? \end{pmatrix}$$

- There can be new physics in  $|V_{tb}|$ , eg. charged Higgs  $t \rightarrow H^+ b$  or an extended quark flavour section (4<sup>th</sup> generation)...
- Direct constraints via

*b-tagging!!*

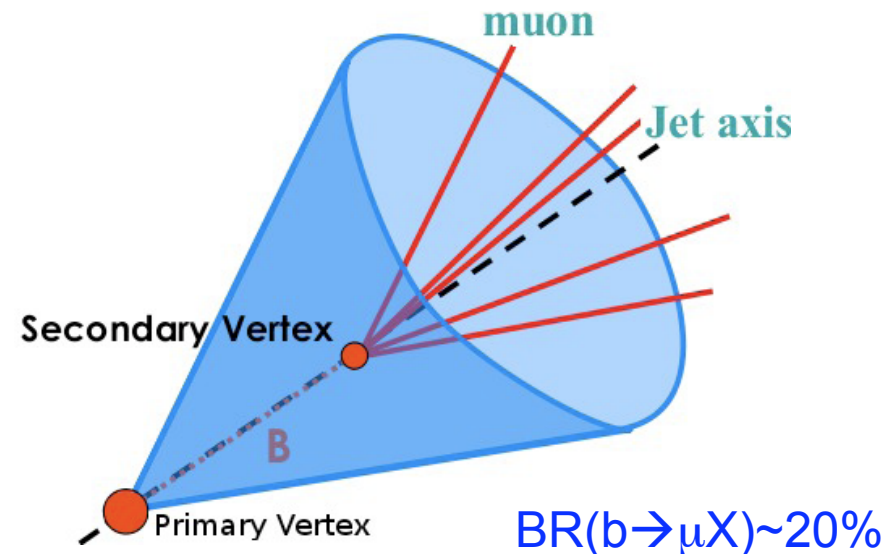
$$R = \frac{\Gamma(t \rightarrow Wb)}{\Gamma(t \rightarrow Wq(=d, s, b))} = \frac{|V_{tb}|^2}{|V_{td}|^2 + |V_{ts}|^2 + |V_{tb}|^2}$$



- B-tagging tools make use of the Tracking devices to search in a jet for displaced vertices, soft (low  $p_T$ ) leptons and/or tracks not originating from the primary collision vertex

### Example of observables used:

- Impact parameter and its significance
- Decay lengths
- Presence of secondary vertex
- Vertex mass
- Number of tracks at vertex
- Ratio of jet energy to energy associated to secondary vertex
- Presence of soft-leptons

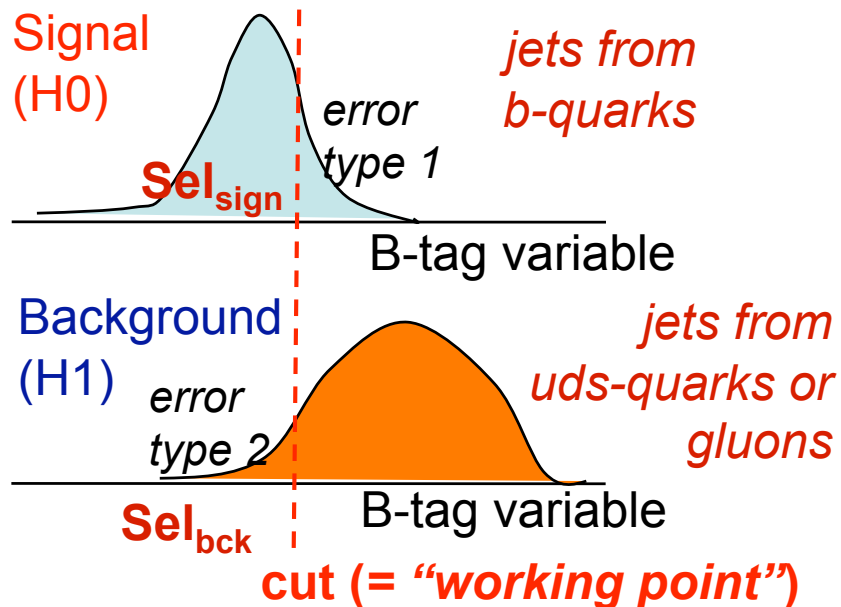


### Example b-tagger (*track counting*):

Jet is b-tagged if at least N tracks have a impact parameter significance above S.

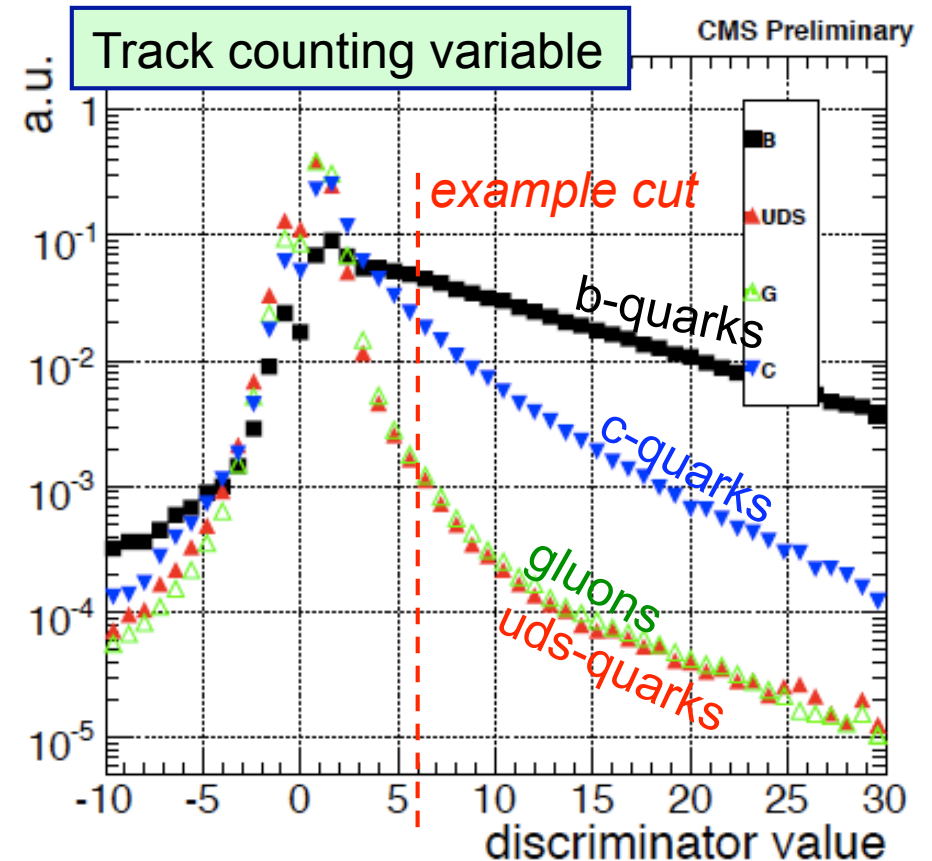
*One should not forget to include quality cuts on the tracks to consider in the jet*

- The performance of these different b-taggers is quantified as a typical hypothesis test.

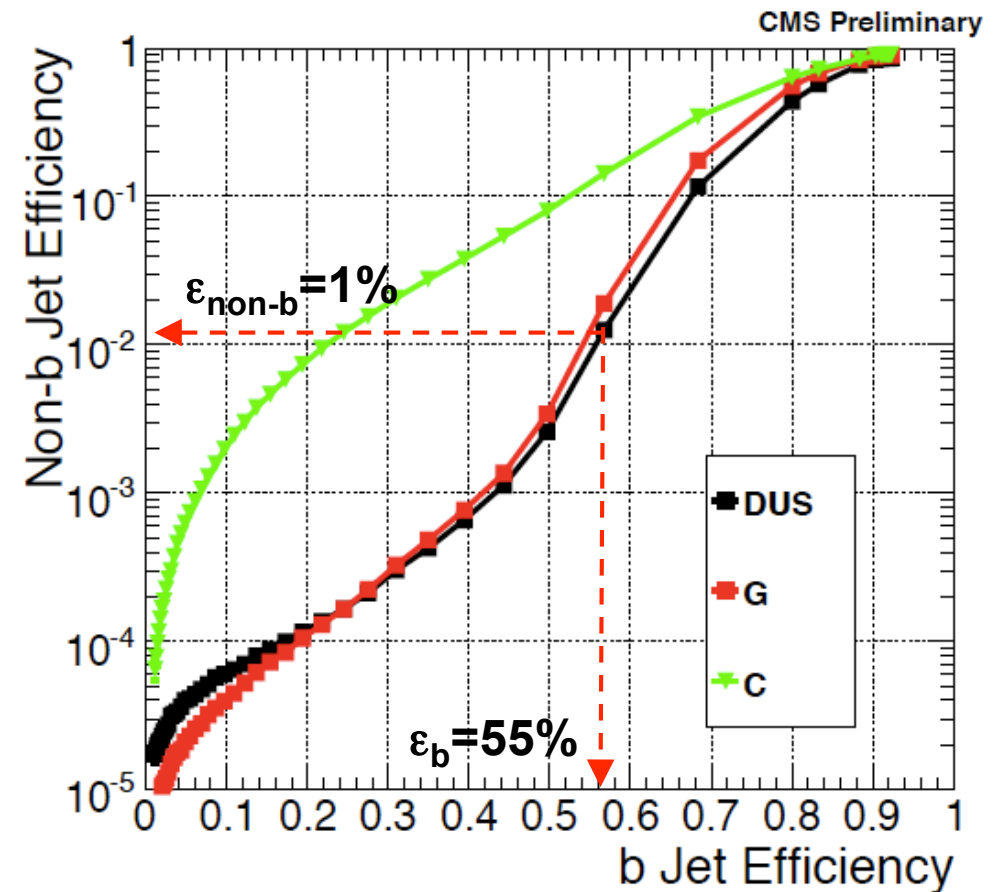
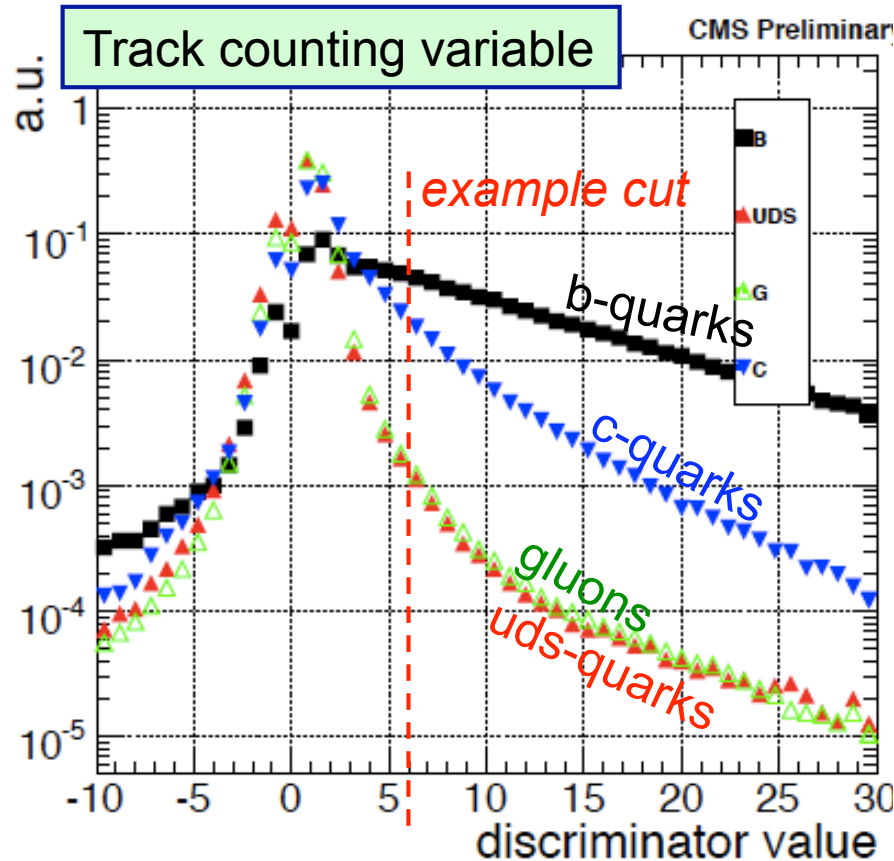


- Error of type-1: rejecting a real b-quark jet
  - Error of type-2: accepting a non b-quark jet
- or

$$\left\{ \begin{array}{l} \epsilon_b = \text{b-tagging efficiency} = \# Sel_{sign} / \text{total \# b-quark jets} \\ \epsilon_{non-b} = \text{Mis-tagging efficiency} = \# Sel_{bck} / \text{total \# non-b-quark jets} \end{array} \right.$$

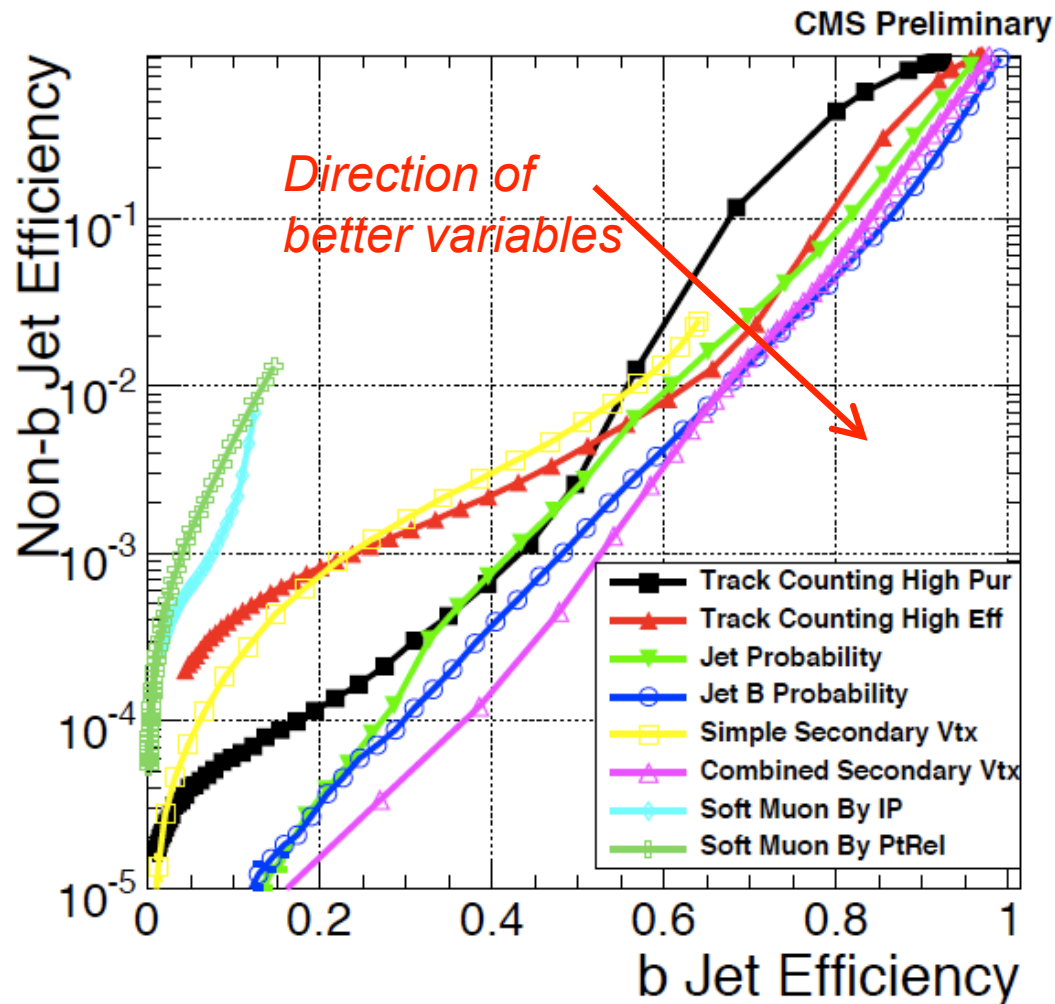


- An example (track counting variable)



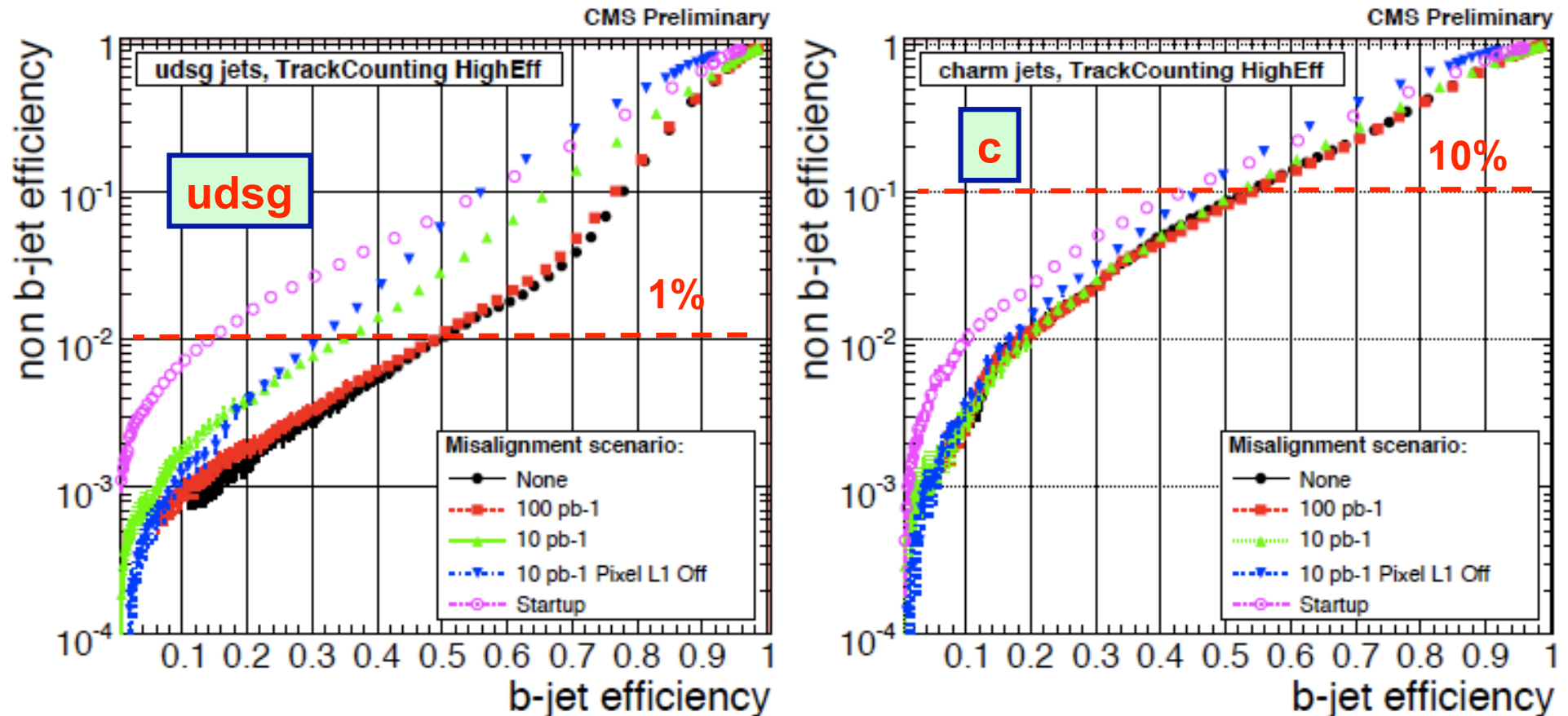
- These efficiencies depend on the  $\eta$ -value and  $p_T$ -value of the jet

- Comparing all methods (all b-tag discriminators/variables)



- The better algorithm is the most complex one to master, namely the “Combined Secondary Vertex” variable.
- At 60% efficiency the non-b-quark efficiency of mis-tag efficiency can vary between 0.4% and 3%.
- Soft-lepton taggers can only reach efficiencies up to ~20% because of the branching ratio of b-quarks into these leptons.

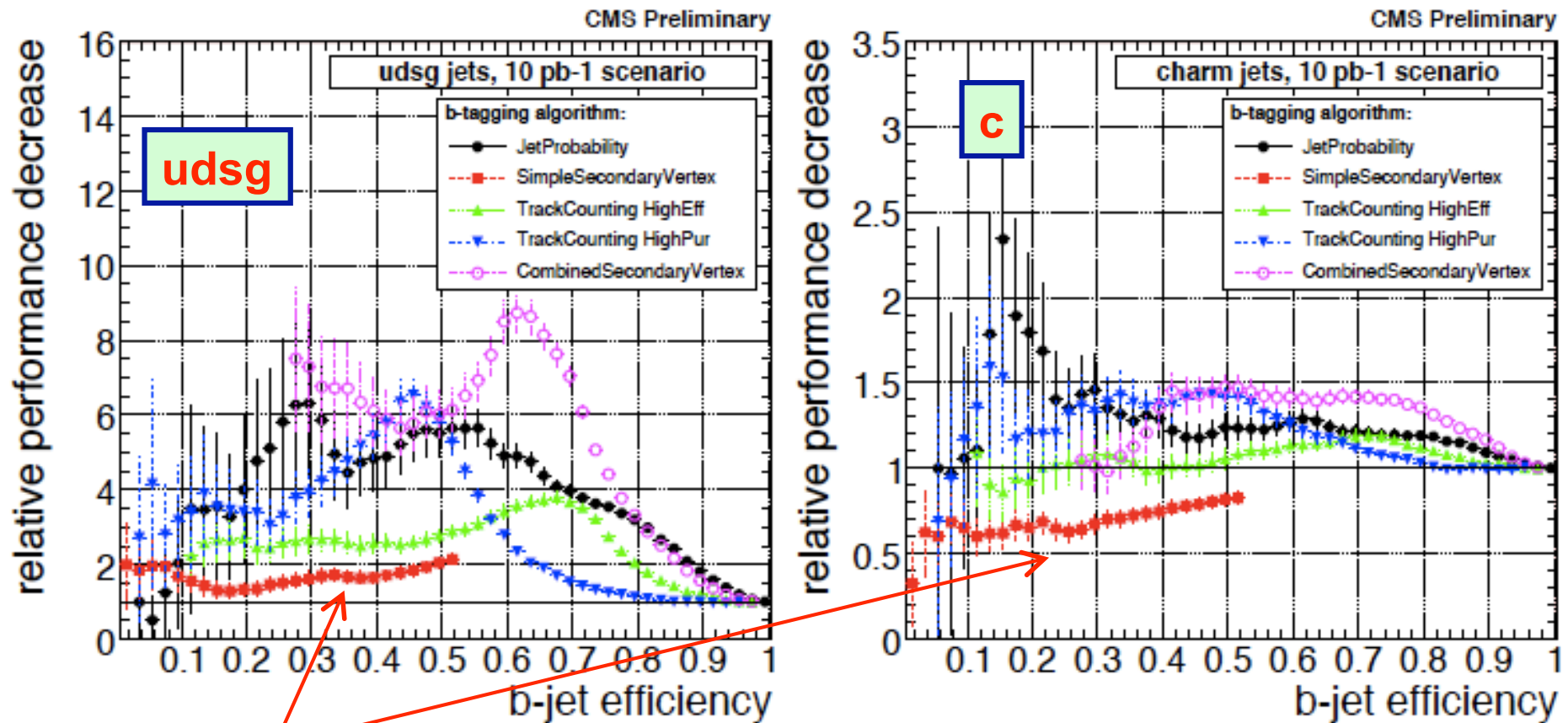
- The true performance of the b-tagging algorithms will depend on how



- Steep improvement in performance from start to 100/pb

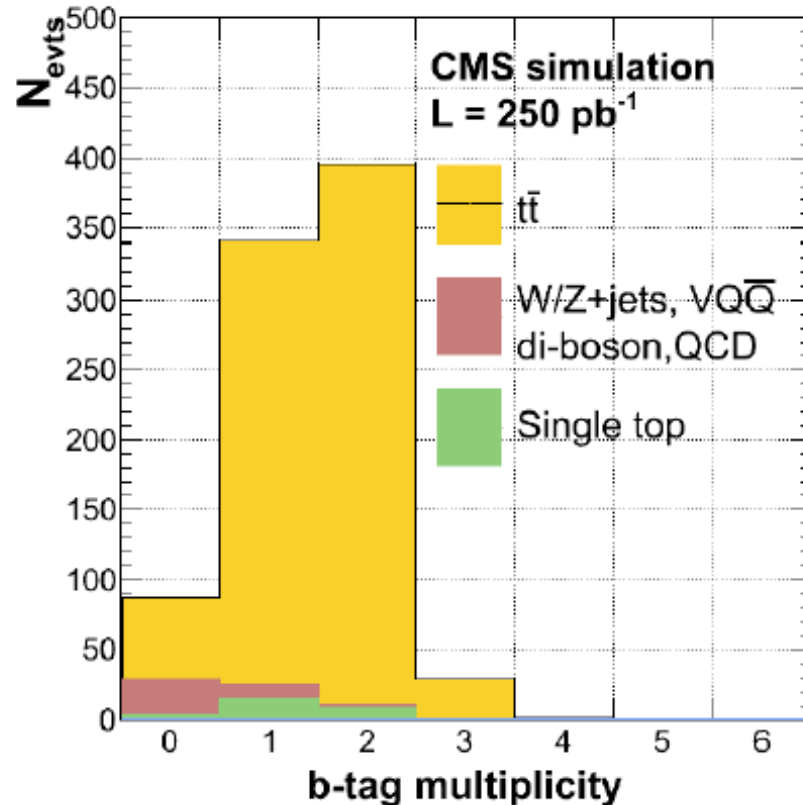


- Decrease in performance depends of course on the b-tagger used



- “Simple secondary vertex” variable most robust (eg. 10/pb)

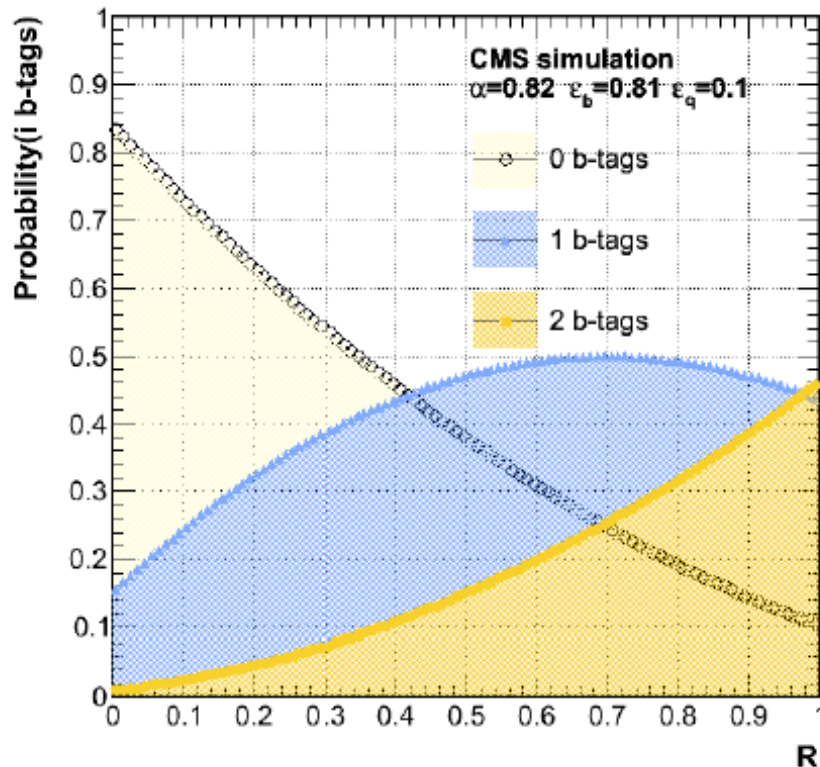
- **Important to test the  $|V_{tb}| \sim 1$  of the Standard Model**  
(remember Tevatron gives  $|V_{tb}| = 1.0 \pm 0.1$  ... personal poor mans combination as an illustration of the current precision from direct measurements)
- **Likelihood fit of the b-tag multiplicity spectra with a function depending on is-tag efficiency  $\epsilon_{\text{non-b}}$**



## Example with di-lepton events

1. Choose a b-tagging algorithm and a working point
2. If the discriminator value is above a certain threshold then we consider the jet to be tagged
3. Count the number of tagged jets per event

- Fit function uses the probability  $P_k$  of observing  $k$  b-tags in an event



- The top quark pairs decay to 2 b-jets
- Expect 2 b-tags in the event from:

$$\begin{aligned}
 P(t \rightarrow Wb; t \rightarrow Wb) &\sim R^2 \epsilon_b^2 \\
 + P(t \rightarrow Wb; t \rightarrow Wq) &\sim 2 R (1-R) \epsilon_b \epsilon_q \\
 + P(t \rightarrow Wq; t \rightarrow Wq) &\sim (1-R)^2 \epsilon_q^2
 \end{aligned}$$

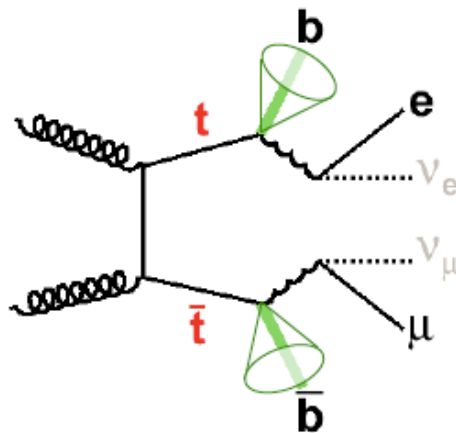
- In general the probability to observe  $k$  b-tags in the events is:

$$P_k = R^2 P_k(bb) + 2R(1-R) P_k(bq) + (1-R)^2 P_k(qq)$$

- The probability functions  $P_k$  are parametrized by  $\alpha$ ,  $\epsilon_b$ ,  $\epsilon_q$  and  $R$
- The probability  $\alpha$  that a jet from a top decay is reconstructed and selected is evaluated from data

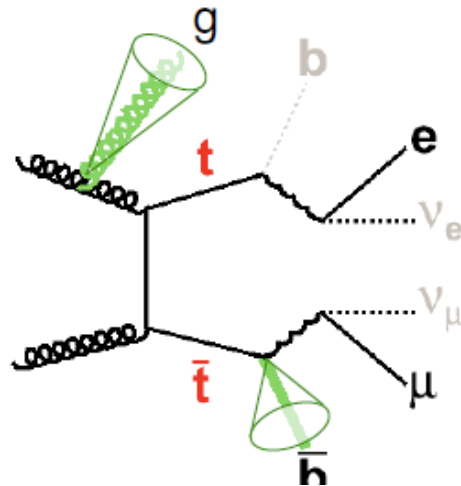
- Probability that 2, 1 or 0 b-jets are reconstructed and selected

2 reconstructed b-jets  
( $\alpha_2$ )



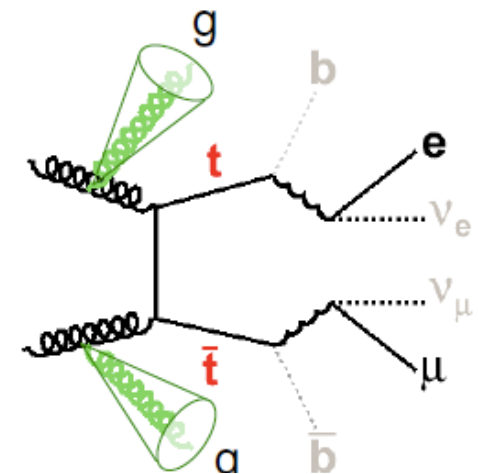
$\alpha_2 = \alpha^2$   
probability to find 2 jets

1 reconstructed b-jet  
( $\alpha_1$ )



$\alpha_1 = 2 \alpha (1-\alpha)$   
probability to miss 1 jet

no reconstructed b-jets  
( $\alpha_0$ )

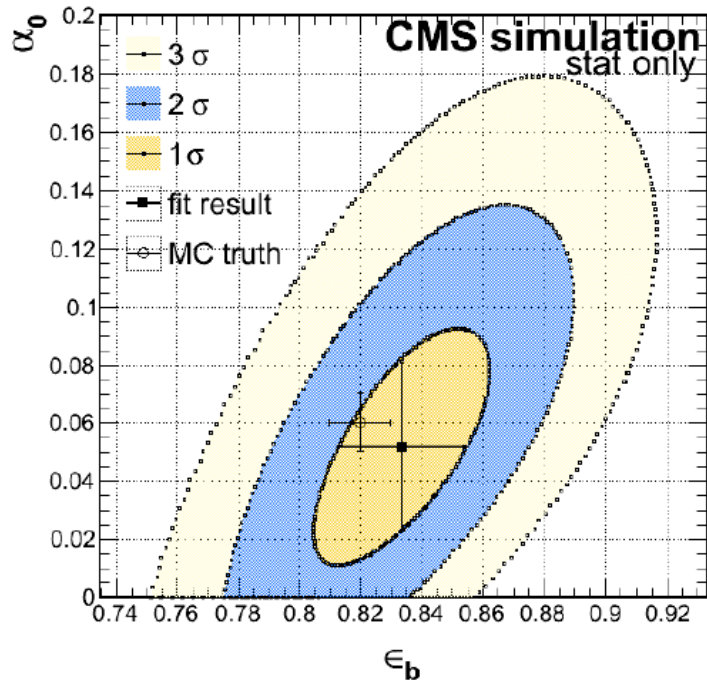
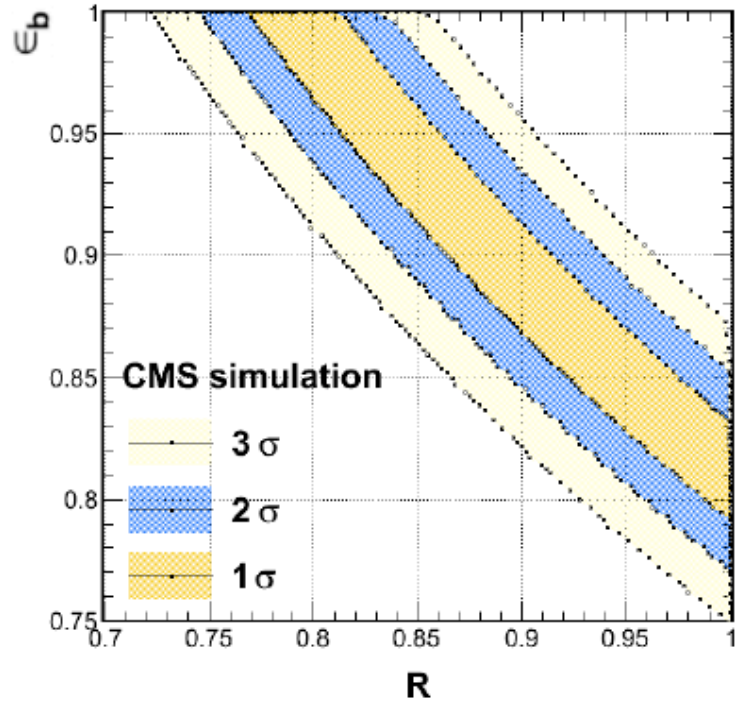
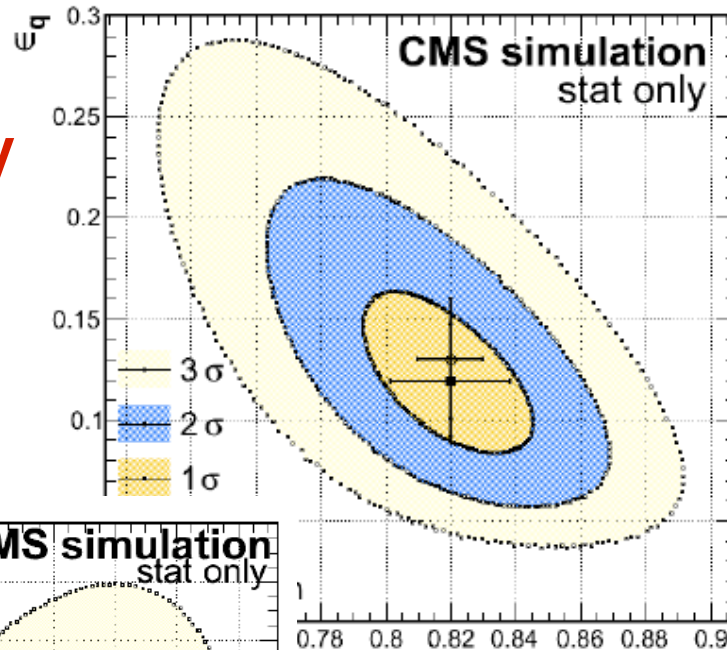


$\alpha_0 = (1-\alpha)^2$   
probability to miss 2 jets

- Obtained from the tail of the  $m_{\text{lepton, jet}}$  spectrum ( $\rightarrow$  wrong b-jets in tail)



Results for  
250/pb @ 10TeV

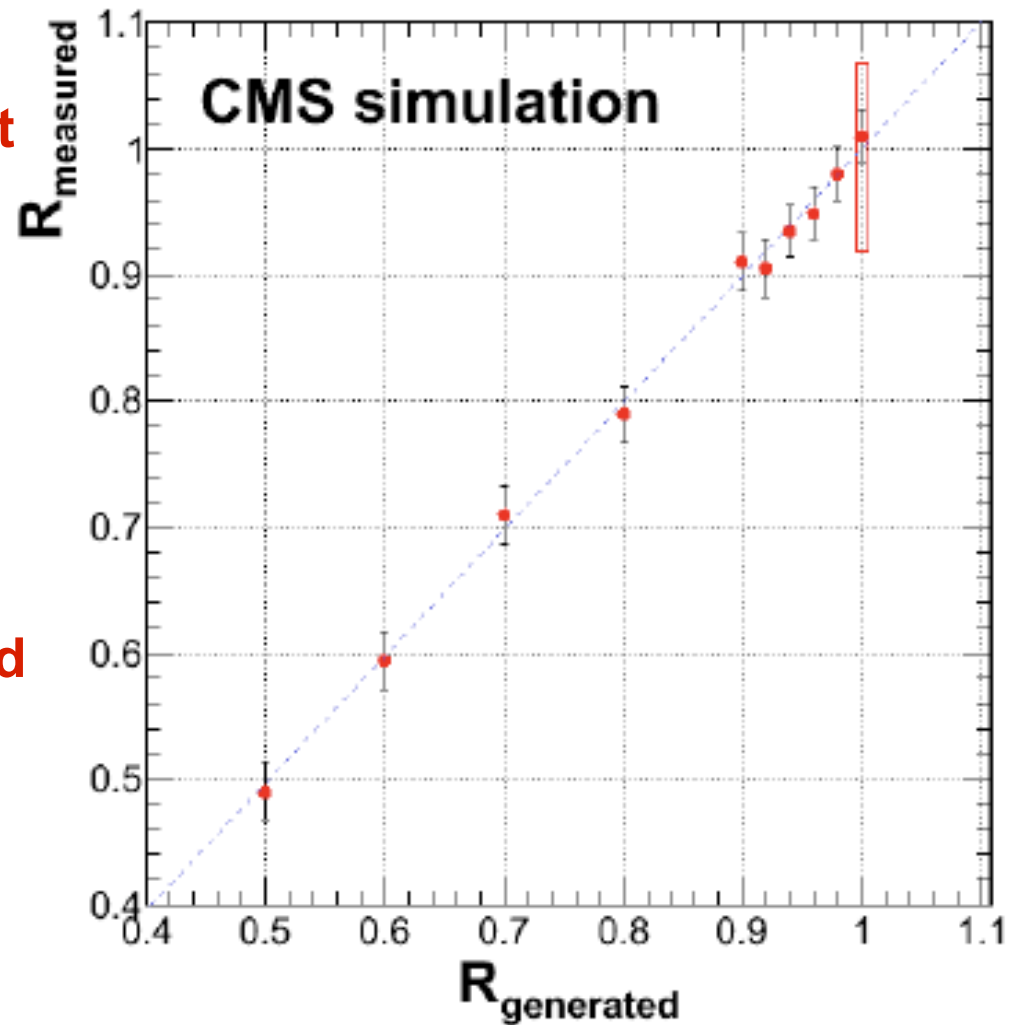


Three parameters are involved and are correlated

A total uncertainty of 9% can be reached on R.



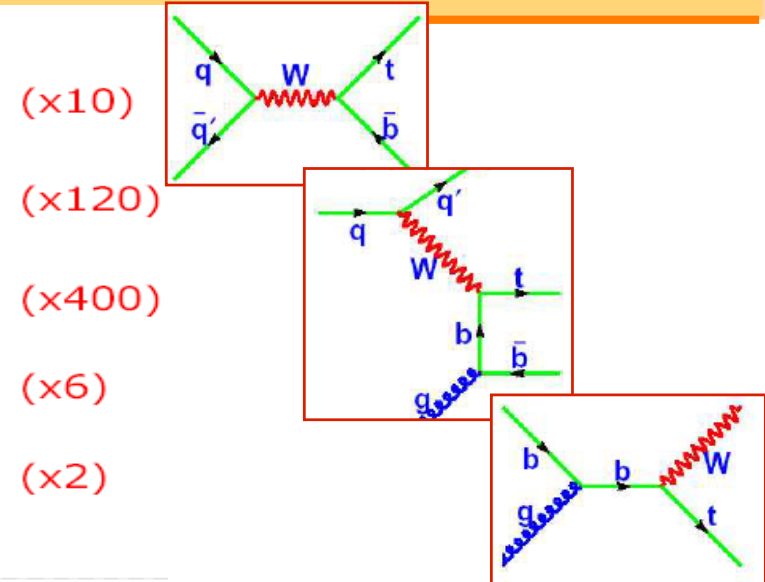
- Always check the bias of your method (what you put in, is what you should get out)...
- Also check that your estimator has a linear behaviour with respect to the input parameter value to measure
- This is to be done with simulated events



# ... also from single-top events

	1.96 TeV	14 TeV
Single top (s-channel)	$0.88 \pm 0.12$ pb	$10 \pm 1$ pb
Single top (t-channel)	$1.98 \pm 0.22$ pb	$245 \pm 17$ pb
Single top (Wt channel)	$0.15 \pm 0.04$ pb	$60 \pm 10$ pb
Wjj (*)	$\sim 1200$ pb	$\sim 7500$ pb
bb+other jets (*)	$\sim 2.4 \times 10^5$ pb	$\sim 5 \times 10^5$ pb

(\*) with kinematic cuts in order to better mimic signal  
Belyaev, Boos, and Dudko [hep-ph/9806332]

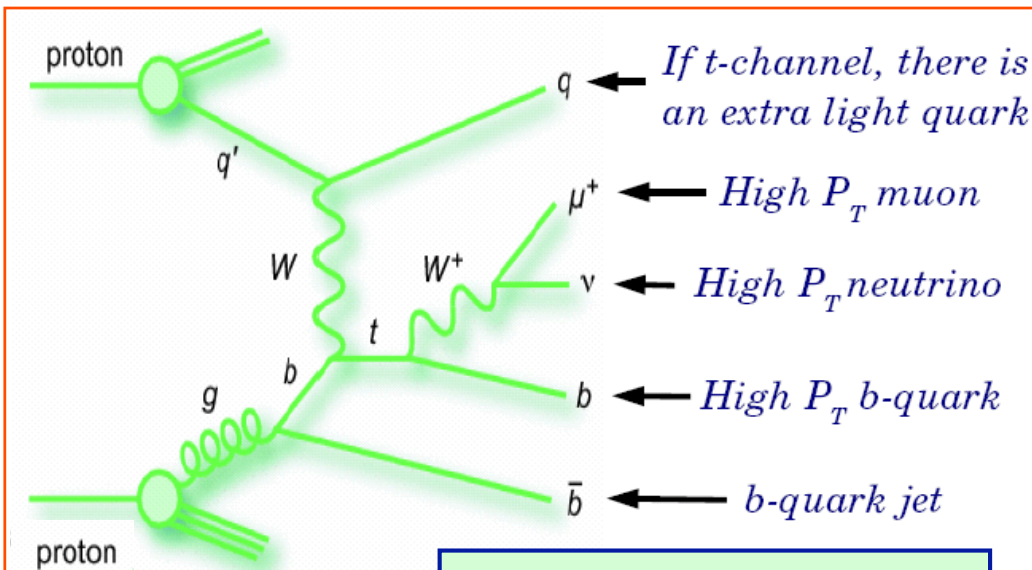


Each channel sensitive to different signals

- heavy  $W'$  → s-channel
- FCNC → t-channel
- $H^\pm$  → Wt-channel

Also directly related to  $|V_{tb}|$  to percent level (s-channel preferred, t-channel dominated by PDF scale uncertainties of  $\sim 10\%$ )

$$R = \frac{\Gamma(t \rightarrow Wb)}{\Gamma(t \rightarrow Wq)} = \frac{|V_{tb}|^2}{|V_{td}|^2 + |V_{ts}|^2 + |V_{tb}|^2}$$



CMS PAS TOP-09-005

■ We can do the inverse: assume  $|V_{tb}| = 1$  and obtain the b-tag efficiency

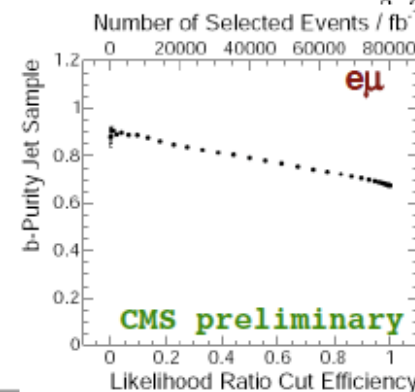
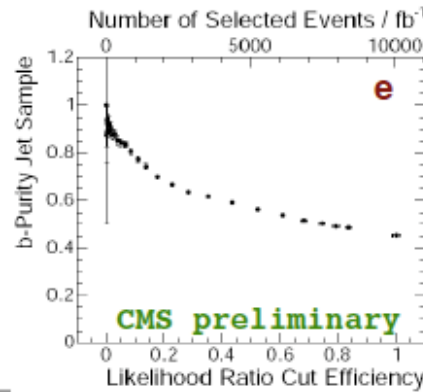
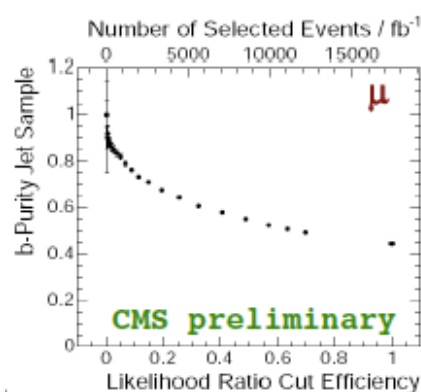
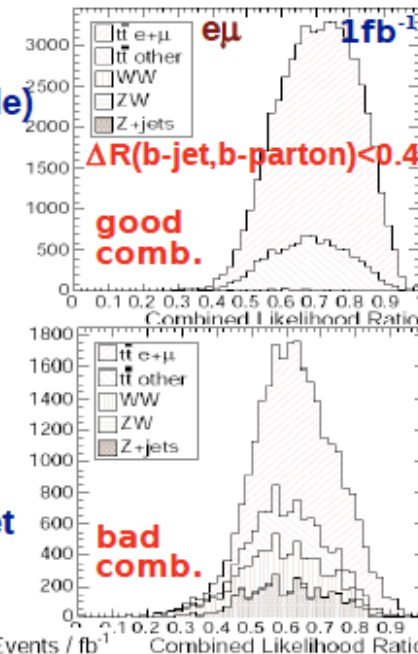
■ Extra selection cuts:

- Jets from pile-up vetoed using a track-based method
- Lepton+jets:  $S/B \sim 60$  (50) for  $\mu$  (e) events (1 b-tag on hadronic side)
- Fully leptonic ( $\mu e$ ): leptons opposite charge  $\rightarrow S/B \sim 4$  (no b-tag)

■ Selection of b-enriched sample:

- Several observables  $x_i$  are able to discriminate between good and bad jet associations
- Each  $x_i \rightarrow \mathcal{L}_i(x_i) = (S_i/B_i)$ , with  $S_i$  good and  $B_i$  bad jet combinations (back-up 28-33)
- Comb. Likelihood Ratio  $\mathcal{L} = \prod \mathcal{L}_i(x_i)$  for each jet combination (35-36)
- With a cut on  $\mathcal{L}$  it is possible to increase the b-jet content of the jet sample

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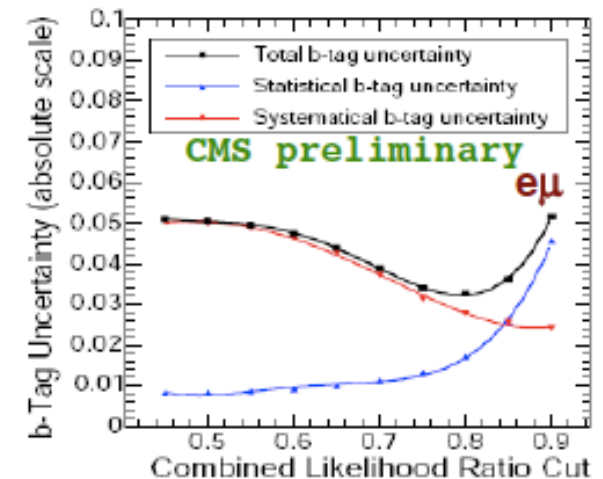
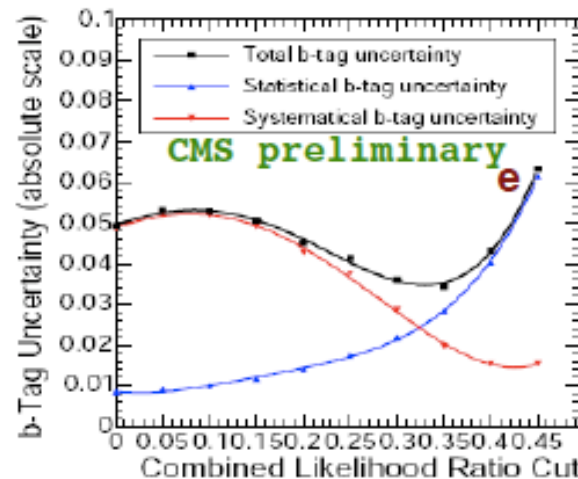
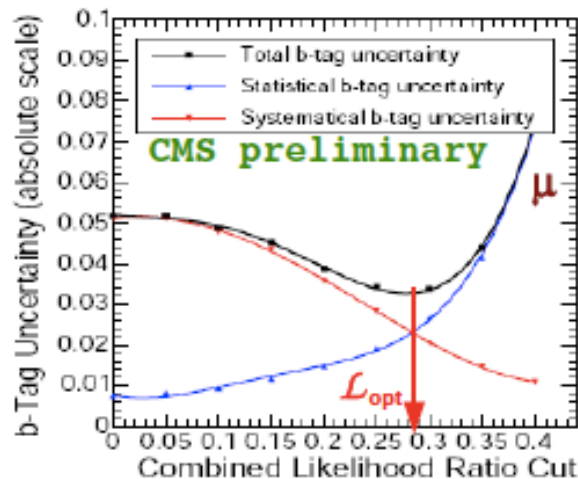
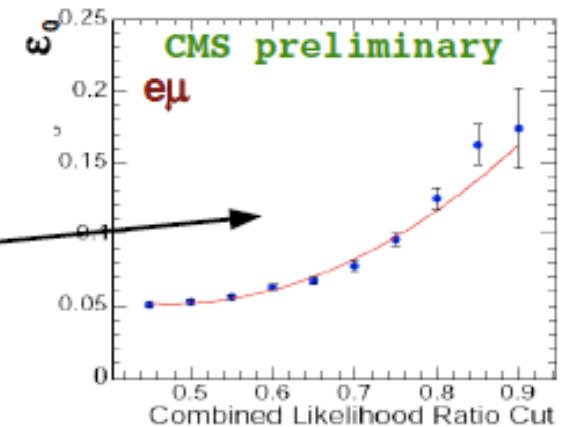


# Using the constraint $BR(t \rightarrow Wb) = 1$

- When a b-tagging algorithm is applied on a sample, a fraction  $x_{\text{tag}}$  of the jets will be tagged

$$x_{\text{tag}} = \epsilon_b x_b + \epsilon_c x_c + \epsilon_l x_l = \epsilon_b x_b + \epsilon_0 (1 - x_b)$$

- For certain values of the cut on  $\mathcal{L}$ ,  $\epsilon_0(\mathcal{L})$  was determined from simulation
- To find the optimal value for the cut on  $\mathcal{L} = \mathcal{L}_{\text{opt}}$ , the total uncertainty is calculated:



- **Main systematic uncertainty:** ISR/FSR and signal and background cross sections (fully lep)
- ISR/FSR and the b-tag efficiency for tagging the b-jet in the event selection (semilep)
- $x_{\text{tag}}$  contributes to the **statistical uncertainty**



# Using the constraint $BR(t \rightarrow Wb) = 1$

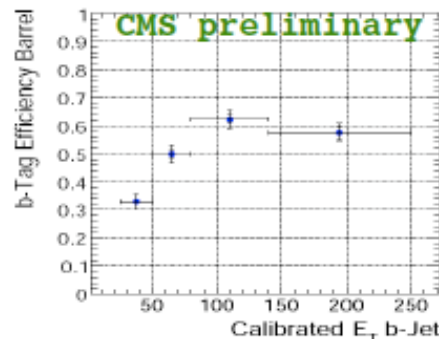
• Estimation of  $\epsilon_b$  for  $1 \text{ fb}^{-1}$ :

• $\mu$ sample	$\epsilon_b = 58.0 \pm 2.2 \%$
• e sample	$\epsilon_b = 58.7 \pm 2.6 \%$
• $e\mu$ sample	$\epsilon_b = 59.2 \pm 3.3 \%$

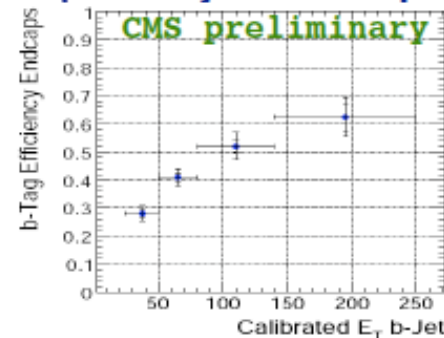
CMS Note 2006/013

• These results can be combined (systematic uncertainties fully correlated)

•  $\epsilon_b$  has to be parametrized as function of  $E_T$  and  $\eta$  of the jet for sample independent  $\epsilon_b$

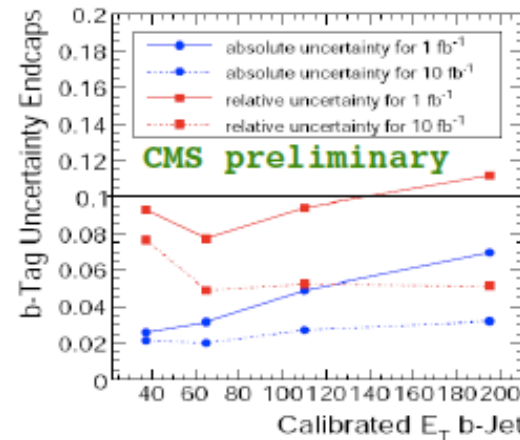
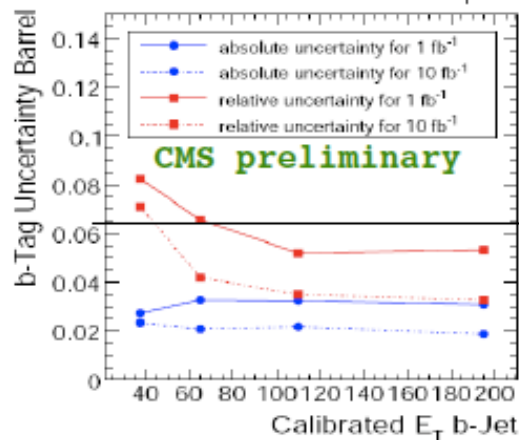


barrel  $|\eta| < 1.5$



endcap  $|\eta| > 1.5$

(back-up 38)

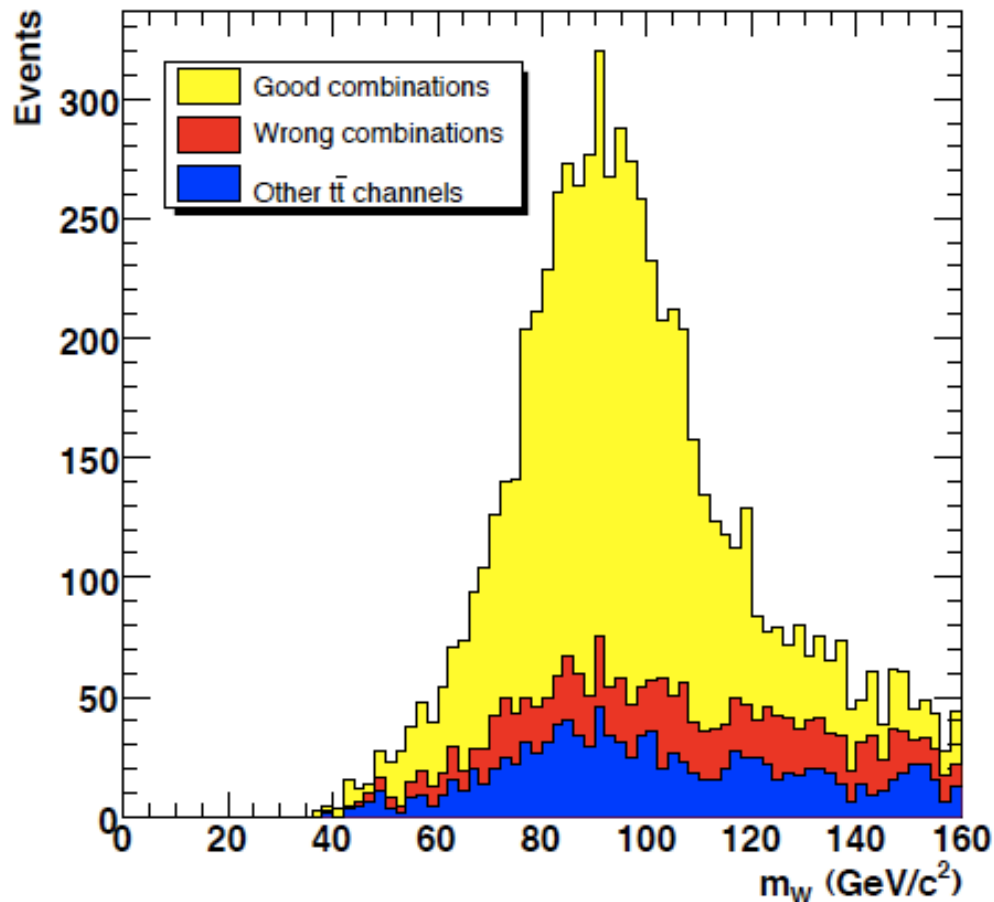


• The relative uncertainty for  $1 \text{ fb}^{-1}$  on the estimated b-tag efficiency is expected to be about 6 % in the barrel and 10% in the endcaps

@ 14 TeV



- Also here we can do the inverse: assume the top quark mass as measured by Tevatron experiments and obtain Jet Energy Corrections



- Reconstruct the W boson mass in the  $t \rightarrow Wb$  decay (with  $W \rightarrow qq$ ) and measure the shift.
- Transform this into a shift on the energy scale of the individual jets.

$$E_{\text{new}} = (1 + \Delta C) \cdot E_{\text{jet}}$$

- Statistical precision of  $<1\%$  can be obtained, but at this precision the delicate systematic effects are important...
- More clever: event-by-event rather than one distribution over all events.

- **More advanced, perform an event-by-event kinematic fit on  $t \rightarrow Wb$**

- **Our knowledge of the observed event comes from measured objects in the final state ( $i = \text{jets, lepton, 'neutrino'}$ ).**

- ❖ this can be summarized as  $\mathbf{p}_i = \{ E_i, \theta_i, \phi_i \}$  (for example)
- ❖ together with the covariance matrix  $\mathbf{V}_i$  for each object  $i$

- **Extend this knowledge  $\mathbf{p}_i$  and  $\mathbf{V}_i$  by assuming some hypothesis for the event**

- ❖ for example :  $m_{jj} = m_W$  &  $m_{jbb} = m_t$

- **Add Lagrange multipliers  $\lambda_k$  in the  $\chi^2$  equation to incorporate these hypothesised constraints in our knowledge of the event ( $\Delta \mathbf{p} = \mathbf{p}^{\text{fit}} - \mathbf{p}^{\text{measured}}$ )**

$$\chi^2(\mathbf{p}^{\text{fit}}) = \Delta \mathbf{p}^T \mathbf{V}^{-1} \Delta \mathbf{p} + 2 \sum \lambda_k f_k(\mathbf{p}^{\text{fit}}, \mathbf{a})$$

- ❖ where we have the  $m$  constraint functions  $f_k$  and unmeasured parameters  $\mathbf{a}$
- ❖ for the true measured and unmeasured parameters  $\rightarrow f_k(\mathbf{p}_{\text{true}}, \mathbf{a}_{\text{true}}) = 0$

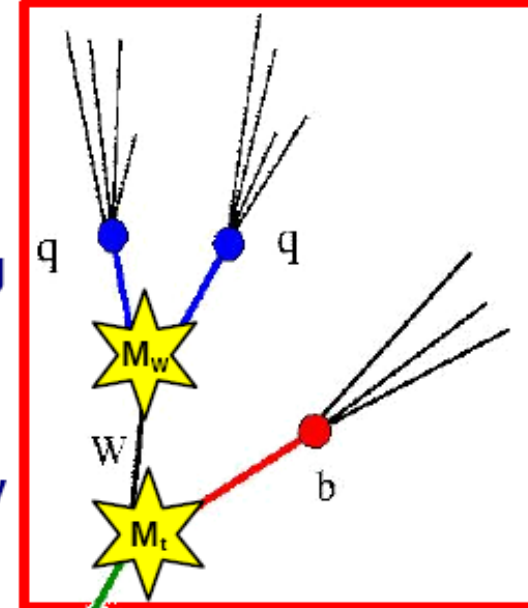
- **If the constraints are non-linear an iterative procedure is used to solve them**

- ❖ the equation  $f_k(\mathbf{p}, \mathbf{a}) = 0$  are linearized in each iteration step (*Taylor expansion*)
- ❖ the  $\chi^2$  equation is minimized ( $\partial \chi^2 / \partial \mathbf{p} = 0$ ,  $\partial \chi^2 / \partial \mathbf{a} = 0$ ,  $\partial \chi^2 / \partial \lambda_k = 0$ ) and solved
- ❖ the iteration stops when some pre-defined convergence criteria are fulfilled

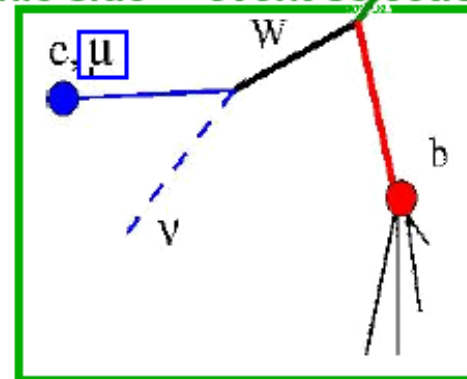
- **A  $P(\chi^2)$  is returned by the kinematic fit, reflecting the probability that the constraints are fulfilled**

- The 3 jets from the hadronic top decay are used in an **event-by-event kinematic fit**
- Jet resolutions are parametrized versus  $p_T$  and  $\eta$
- The constraints  $m_W^{rec}=M_W^{world}$  and  $m_t^{rec}=M_t^{world}$  are true at parton level
- Kinematic fit returns a  $P(\chi^2)$  for each event reflecting the probability that the constraints are fulfilled for this event
- A whole range of JES corrections  $\Delta E_b$  &  $\Delta E_j$  ( $\pm 50\%$ ) is scanned for each event ( $E/|p|$  constant)
- The best estimate of the JES corrections is found by **minimizing the function  $\chi^2(\Delta E_b, \Delta E_{j1}=\Delta E_{j2})$**

hadronic side  $\rightarrow$  JES estimate



leptonic side  $\rightarrow$  event selection/trigger



- To reduce the **process background** a tight event selection is applied
- A likelihood ratio is constructed to **identify the correct jet combination**
- A cut on this likelihood ratio is made to reduce **combinatorial background**
- To reduce contributions from **mis-reconstructed events** cuts are made on the probability of the kinematic fit

- $p_T(\mu) > 30 \text{ GeV}, |\eta| < 2.1$
- $\mu$  isolated (back-up 41)
- non-overlapping jets:  $\Delta R(\text{jet } i, \text{jet } j) > 1.0$
- $\Delta R(\text{jets}, \mu) > 0.5$

# Jet corrections from top events

- To identify the correct jet combination four observables are combined into a LR:

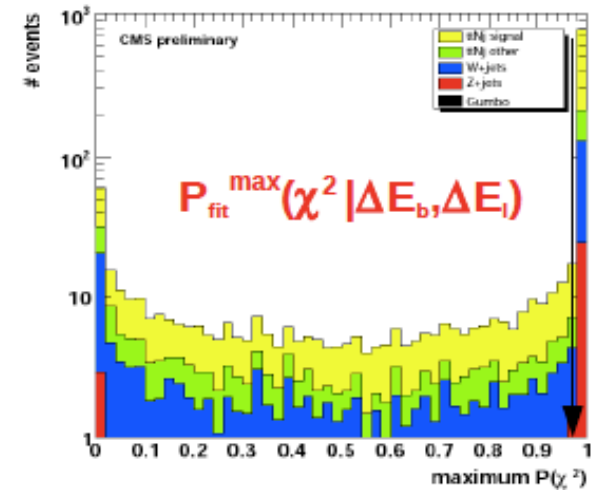
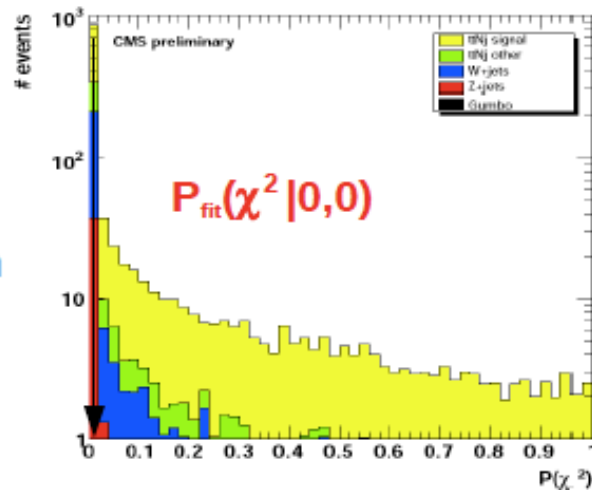
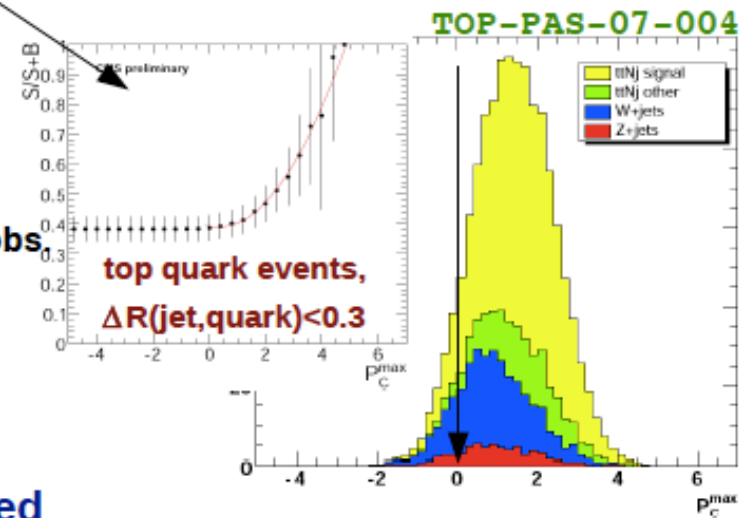
- $p_T^{\text{had top}} / \langle p_T^{\text{had top}} \rangle$
- $(p_T^{b1} + p_T^{b2}) / (p_T^{l1} + p_T^{l2})$
- $\Delta R(l1, l2)$
- b-value(b1)+b-value(b2)

S: correct jet comb.  
B: wrong jet comb.

- $P_c^{\text{max}} = \max(\sum_i \log(L_i(x_i)))$  with  $L_i(x_i) = S_i(x_i)/B_i(x_i)$ ,  $i = \text{obs}$ .
- To purify event sample:  $P_c^{\text{max}} > 0$

- For each event  $P_{\text{fit}}(\chi^2 | 0, 0)$  (no JES corrections)
- For each event and over whole scanned JES corrections range  $P_{\text{fit}}^{\text{max}}(\chi^2 | \Delta E_b, \Delta E_l)$  is calculated

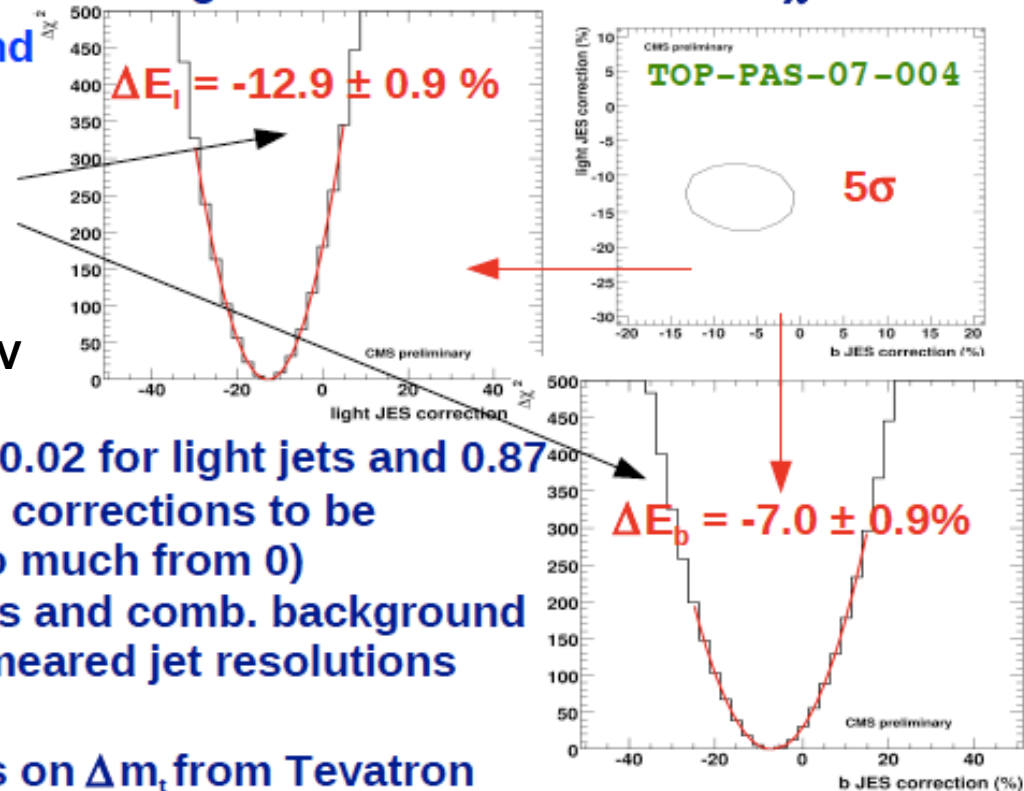
- Removal of mis-reconstructed events:  
 $P_{\text{fit}}(\chi^2 | 0, 0) > 0.01$
- Requiring the JES corrections are found in the scanned range:  
 $P_{\text{fit}}^{\text{max}}(\chi^2 | \Delta E_b, \Delta E_l) > 0.98$





# Jet corrections from top events

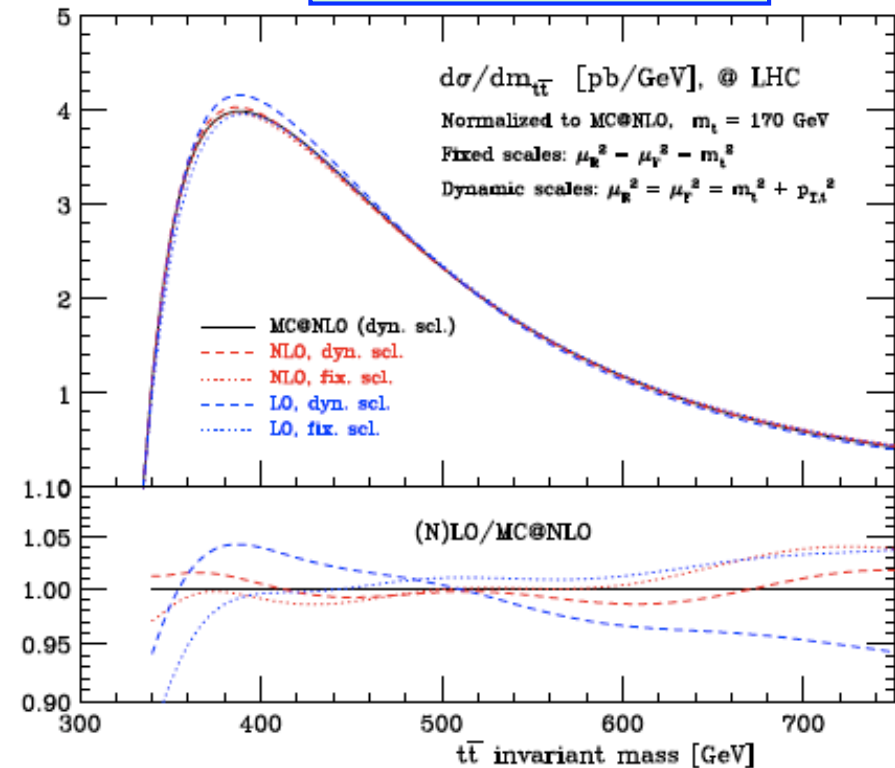
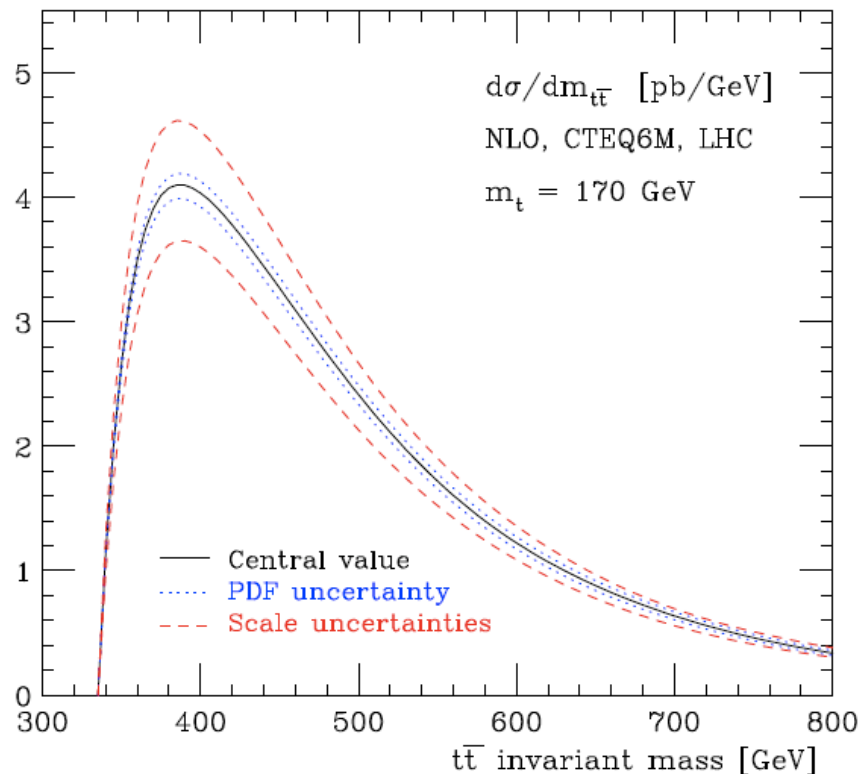
- For each event we have an estimate of the JES corrections,  $\Delta E_{b,i}$  and  $\Delta E_{l,i}$  ( $i$ =event)
- Events for which  $\Delta E_{b,i}$  or  $\Delta E_{l,i} > \pm 20\%$  w.r.t first estimate are removed:
- The relative difference between the fitted expectation value of the  $m_W$  distribution and  $M_W^{\text{world}}$  is taken as a first estimate for light jets:  $\Delta E_{l,\text{incl.}}$
- Difference between MC expectation values of light and b JES corrections (7%) is used to obtain the first estimate for b jets  $\Delta E_{b,\text{incl.}}$  from  $\Delta E_{l,\text{incl.}}$
- The  $P^{\text{fit}}(\chi^2 | \Delta E_b, \Delta E_l)$ -values of the remaining events are translated into  $\chi^2$ -values
  - The  $\chi^2$ -values are combined and the minimum is searched for
  - Results are corrected for the width of pull distributions
  - The uncertainty reflects the uncertainty for  $100 \text{ pb}^{-1}$  @ 14 TeV
- Method is linear (slope of  $0.77 \pm 0.02$  for light jets and  $0.87 \pm 0.03$  for b jets  $\rightarrow$  to avoid bias: corrections to be estimated should not deviate too much from 0)
- Method is robust against process and comb. background
- Method is also robust against smeared jet resolutions
- Performance of method depends on  $\Delta m_t$  from Tevatron





- Also new phenomena can be hidden in the top pair decay...
- Effects in the top quark pair mass spectrum

arXiv:0712.2355v3



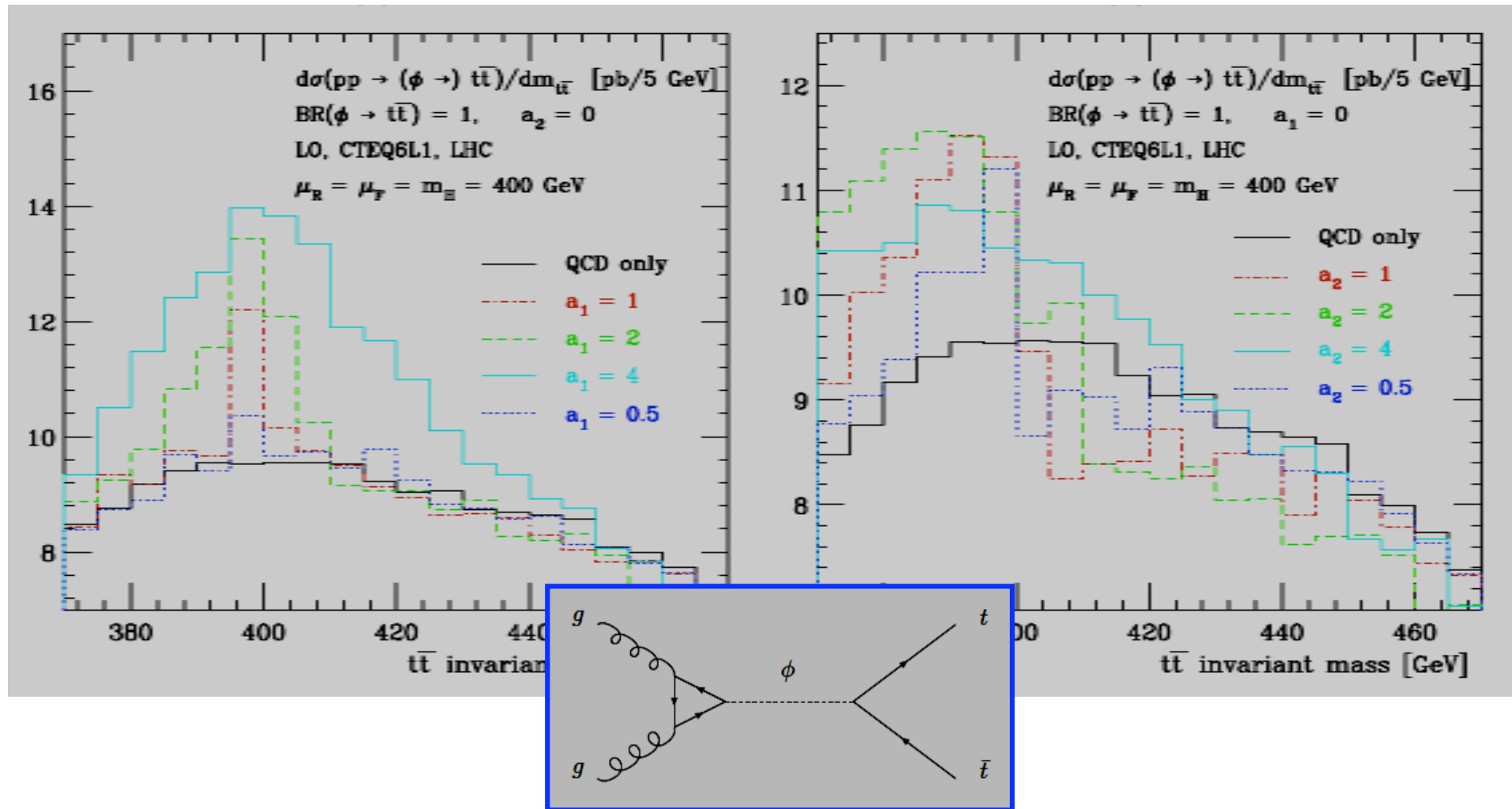
- Lots of theory work needed to control this distribution
- Also lots of experimental work needed to reconstruct this distribution!

- Several new models predict resonances in this spectrum

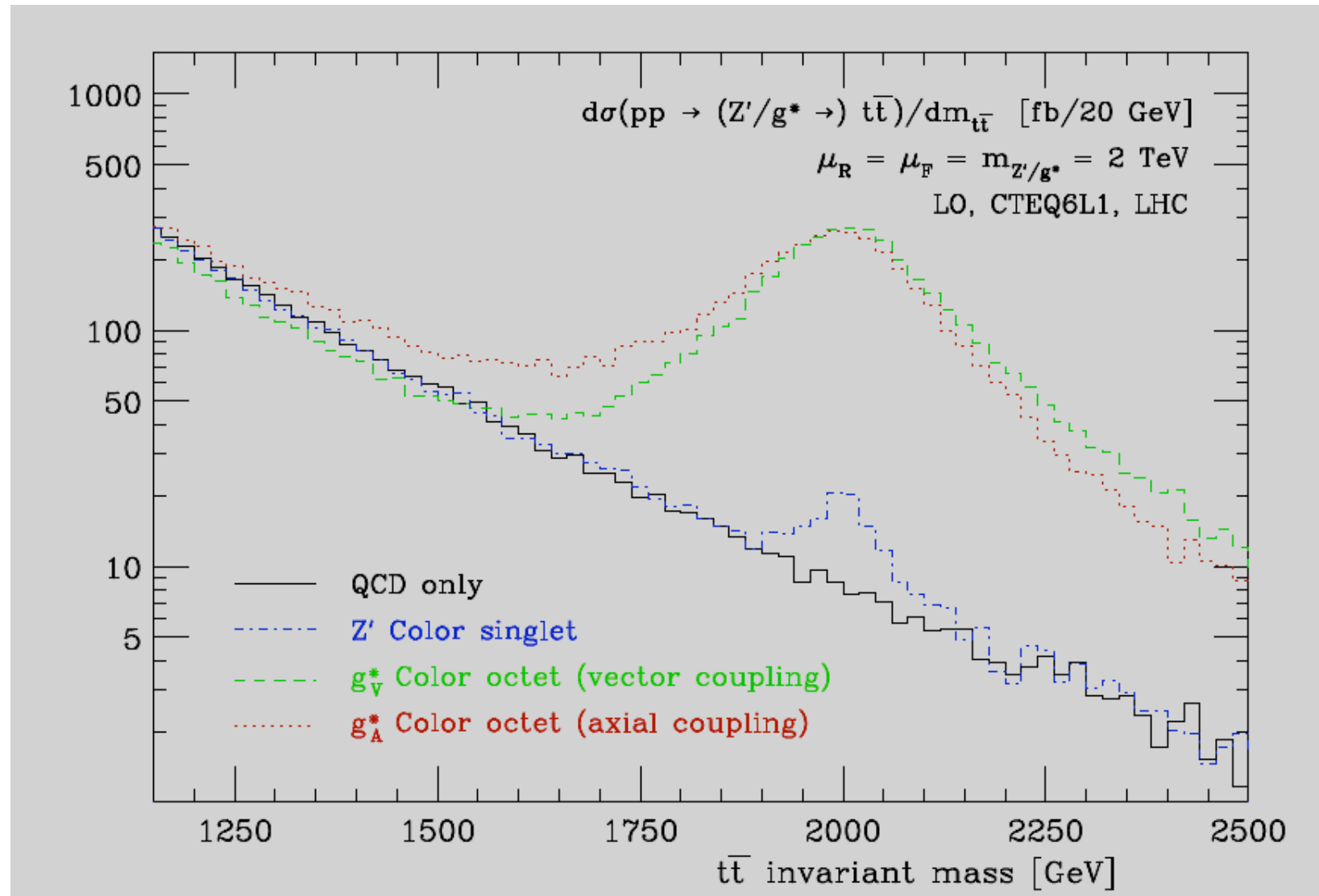
Spin	color	parity ( $1, \gamma_5$ )	some examples/Ref.
0	0	(1,0)	SM/MSSM/2HDM, Ref. [51, 52, 53]
0	0	(0,1)	MSSM/2HDM, Ref. [52, 53]
0	8	(1,0)	Ref. [54, 55]
0	8	(0,1)	Ref. [54, 55]
1	0	(SM,SM)	$Z'$
1	0	(1,0)	vector
1	0	(0,1)	axial vector
1	0	(1,1)	vector-left
1	0	(1,-1)	vector-right
1	8	(1,0)	coloron/KK gluon, Ref. [56, 57, 58]
1	8	(0,1)	axigluon, Ref. [57]
2	0	–	graviton “continuum”, Ref. [17]
2	0	–	graviton resonances, Ref. [18]

# The decay of the top quark (BSM)

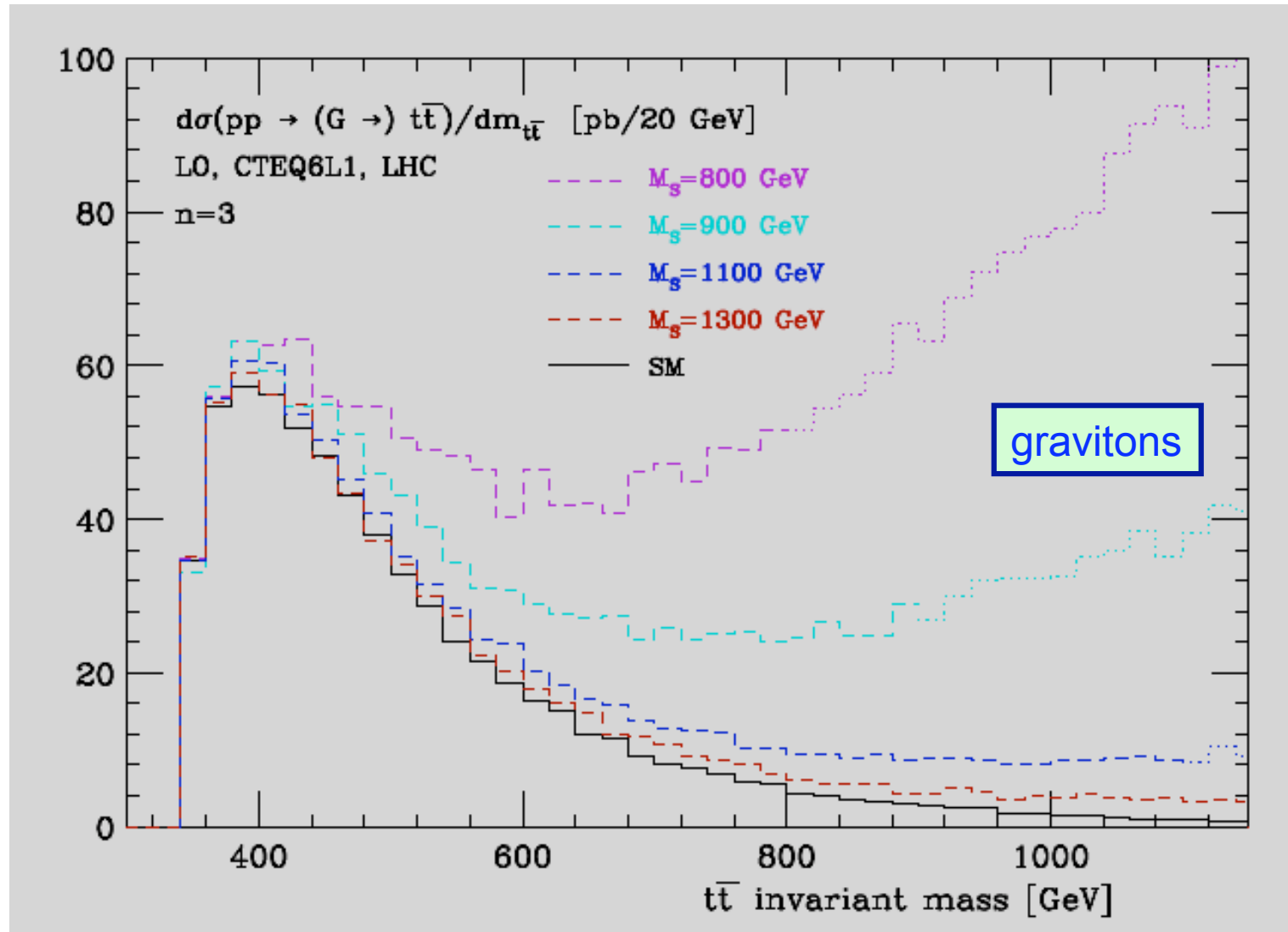
- **Boson-phobic scalar (left) and pseudo-scalar (right)**



# The decay of the top quark (BSM)

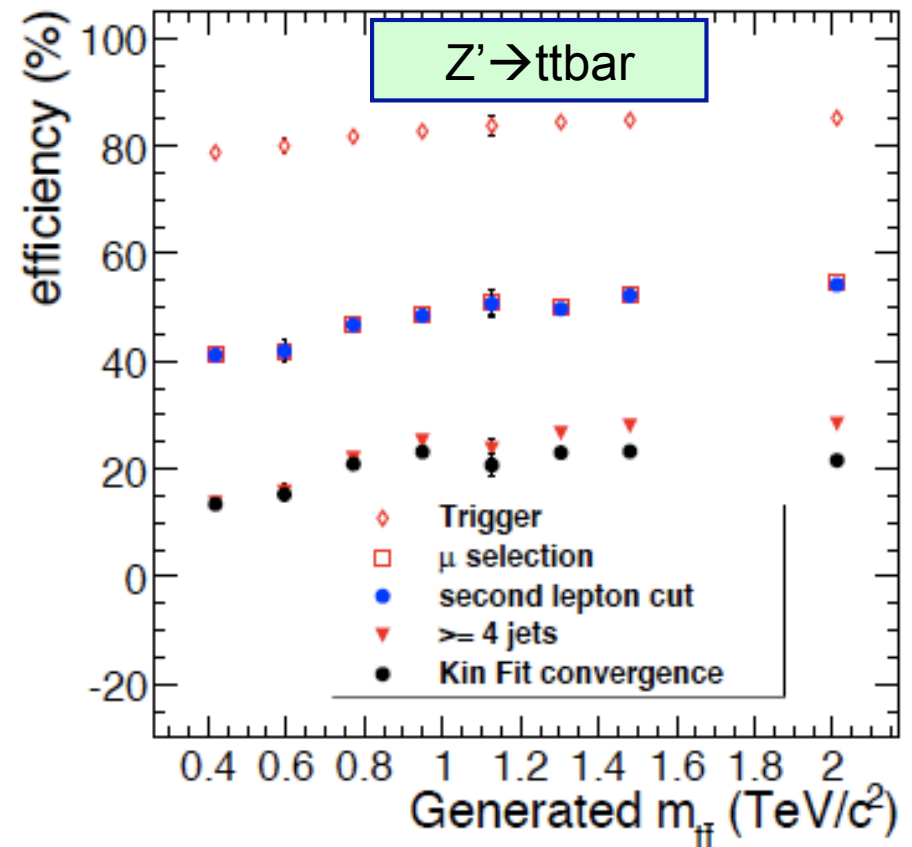
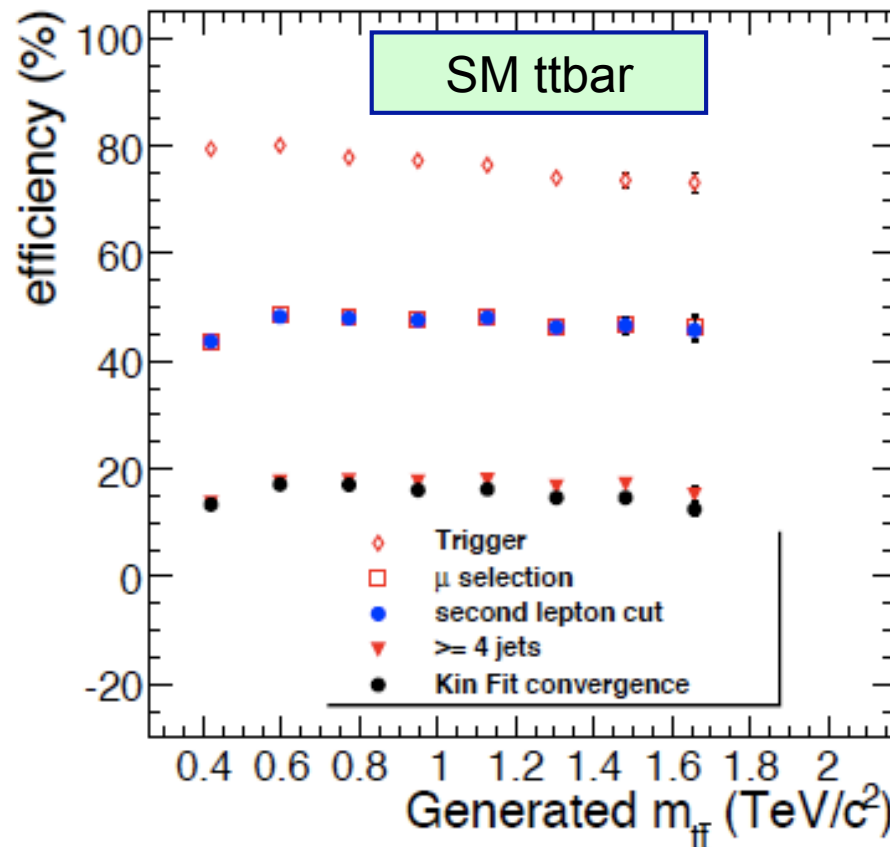


# The decay of the top quark (BSM)



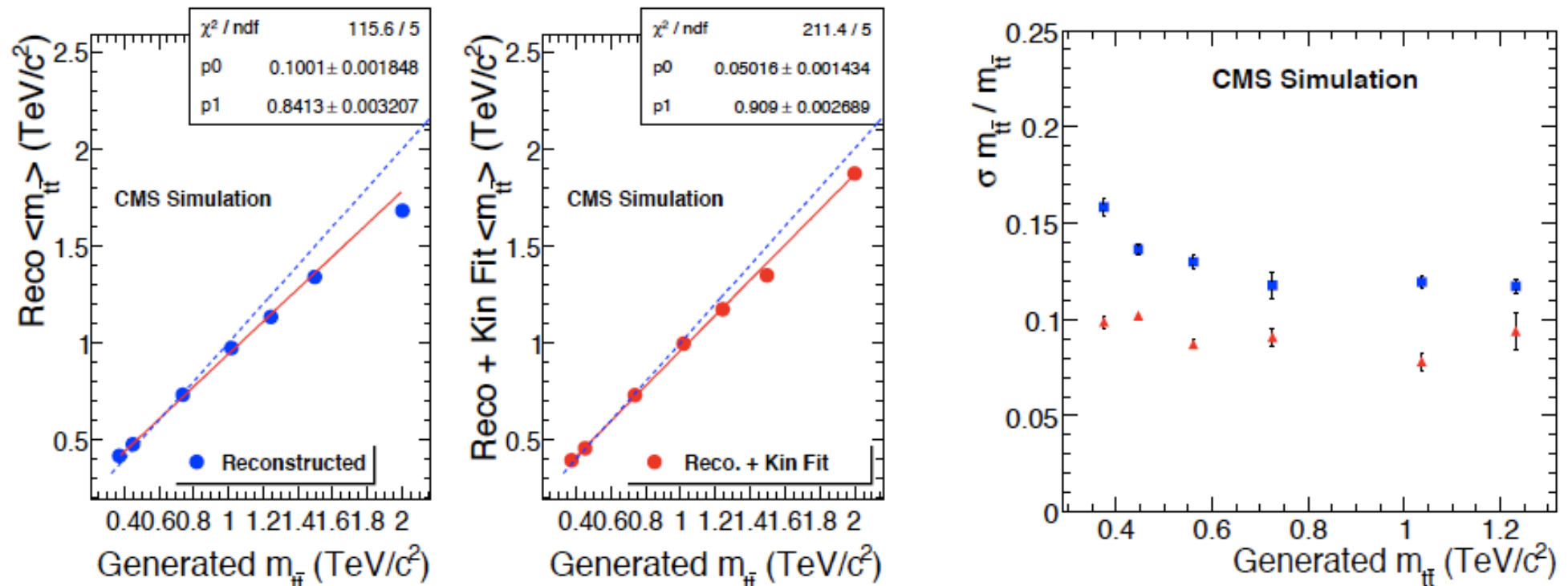


- When reconstructing the full event one can obtain the mass of the top-antitop system and search for resonances  $X \rightarrow t\bar{t}$



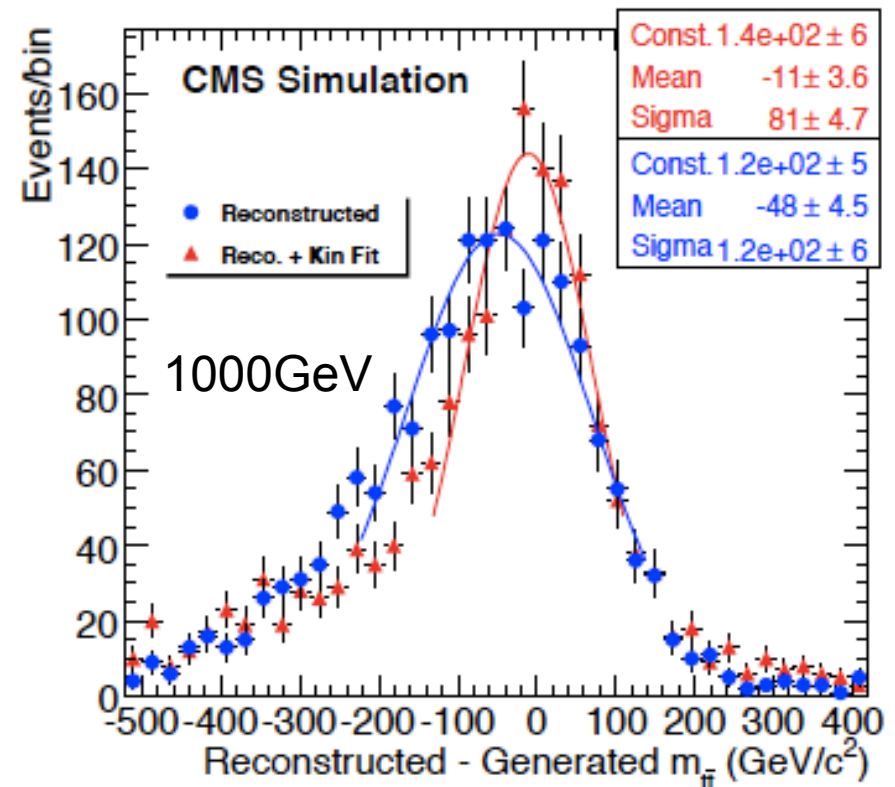
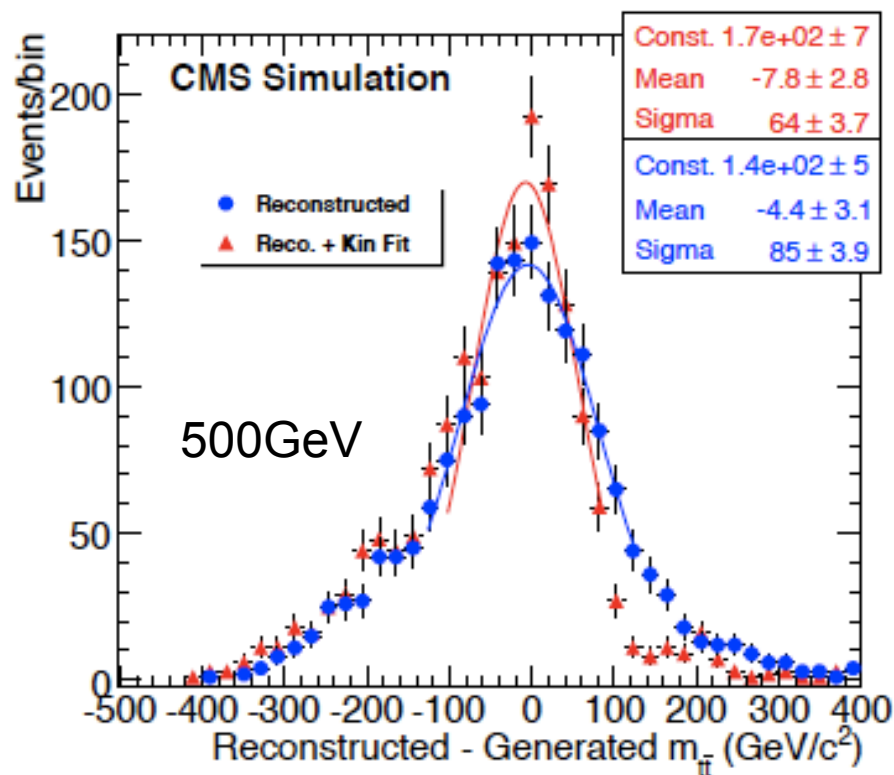
- Trigger on non-isolated muons not to lose the boosted signal...

- The jets from the top quark decays in the event are chosen via a  $\chi^2$  minimization on the top quark and W boson mass (kinematic fit)
- The resonance mass is measured as the Gaussian fitted average



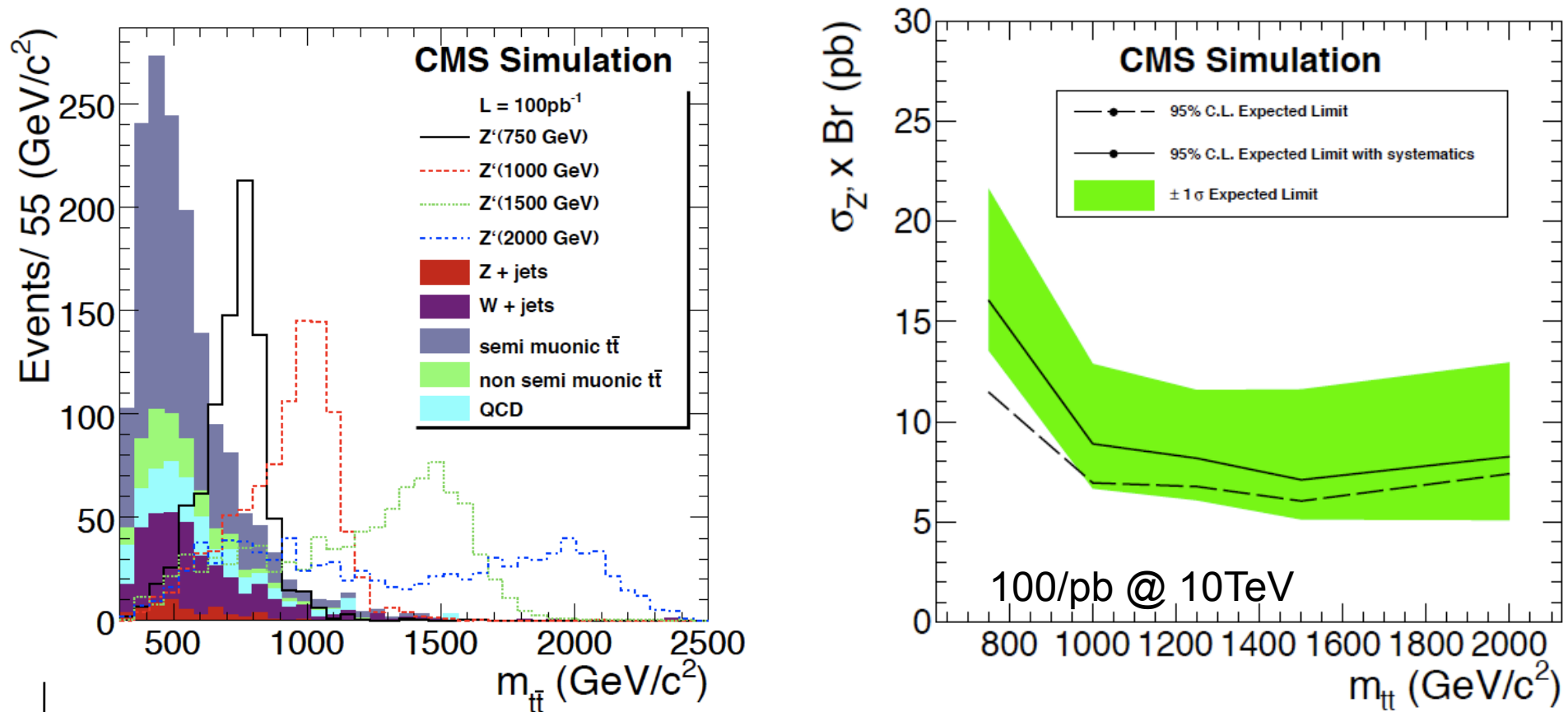
- The jet resolution is relatively improving with  $\sim 35\%$  by use of the kinematic fit

- The improvement from the kinematic fit visual...



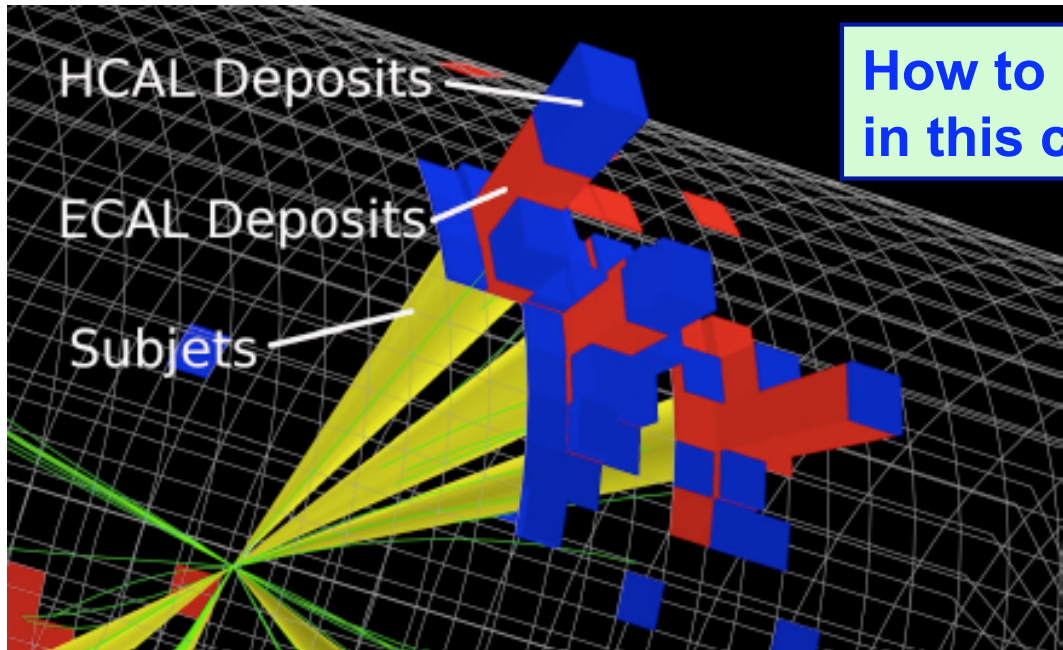
- The kinematic fit reduces the bias on the measured  $m_{t\bar{t}}$  and improves the overall resolution

- The new physics is visible above the Standard Model background



For illustration purpose the  $Z' \rightarrow t\bar{t}$  cross section is set equal to the Standard Model  $t\bar{t}$  cross section

- Reconstructing and identifying boosted top quarks is not easy



How to identify the decay  $t \rightarrow Wb \rightarrow qqb$  in this collimated top?

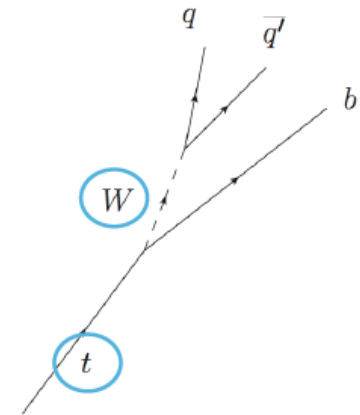
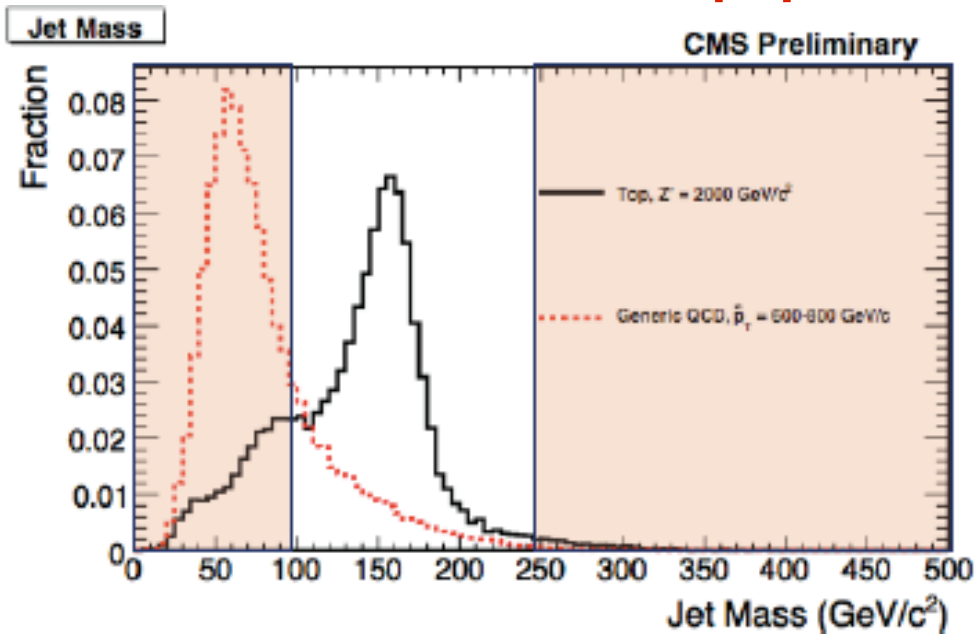
Reconstruct a “super-jet” with the Cambridge-Aachen clustering algo with  $R=0.8$  in the algorithm’s metric

$$d_{ij} = \Delta R_{ij}^2 / R^2$$

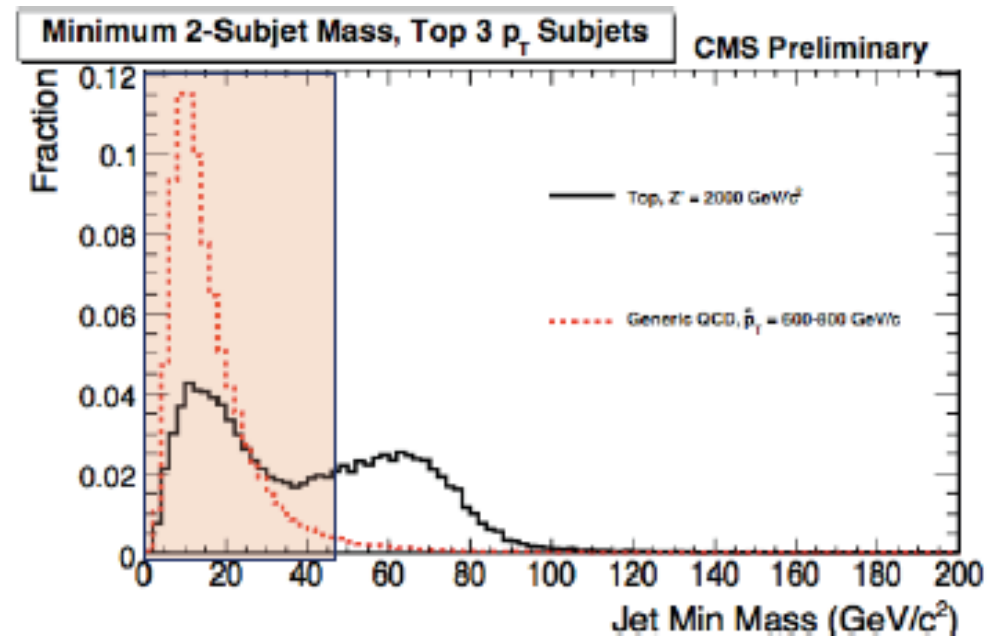
- Now we have the “super-jet” which should reflect the top quark
- Reverse the clustering sequence, by throwing out clusters which are soft (less than 5% of the “super-jets”  $p_T$ ) and this to find sub-jets in the “super-jet”



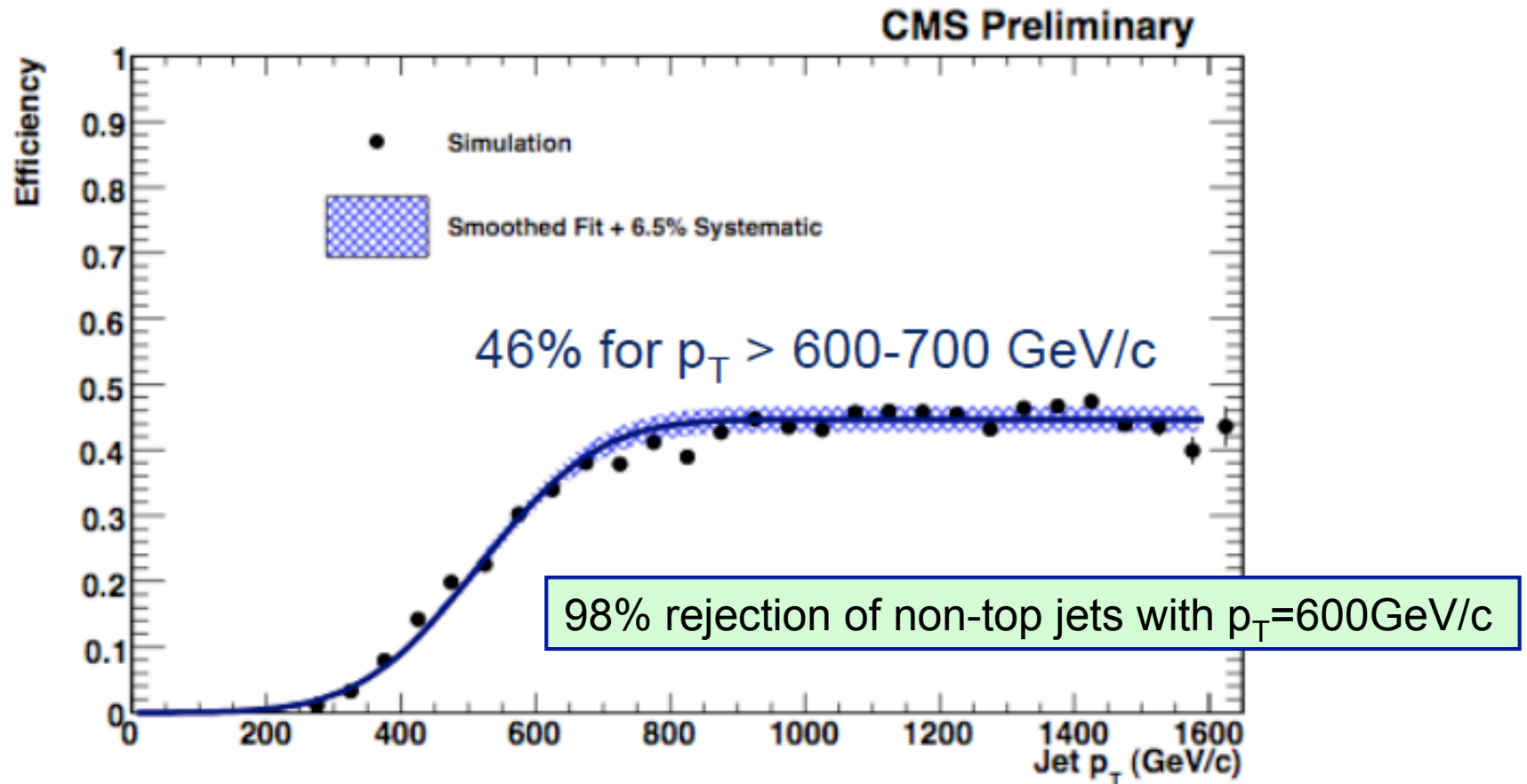
- Selection window on “top quark” and “W boson” mass



eg.  $Z'$  decay to top pairs  
 eg. QCD bck (generic)



- Resulting top-tagging efficiency reaches  $\sim 50\%$  for  $p_T > 700 \text{ GeV}/c$



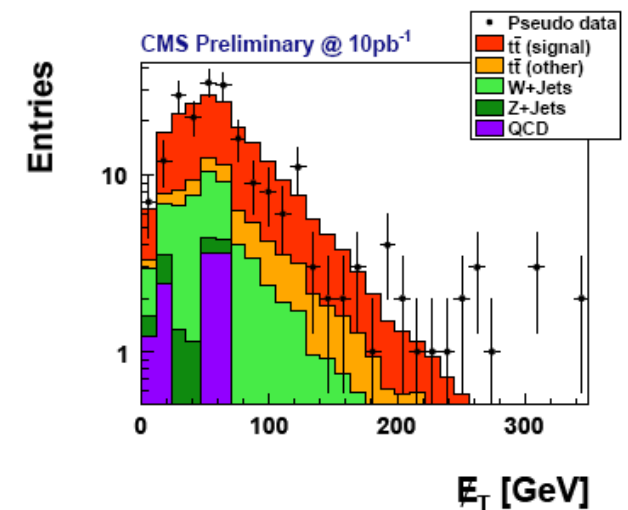
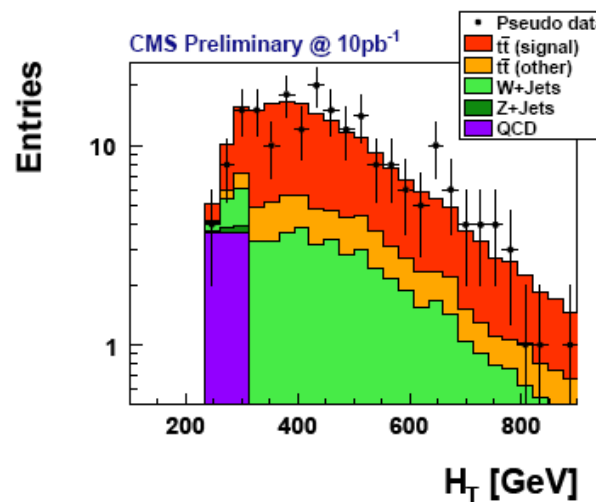
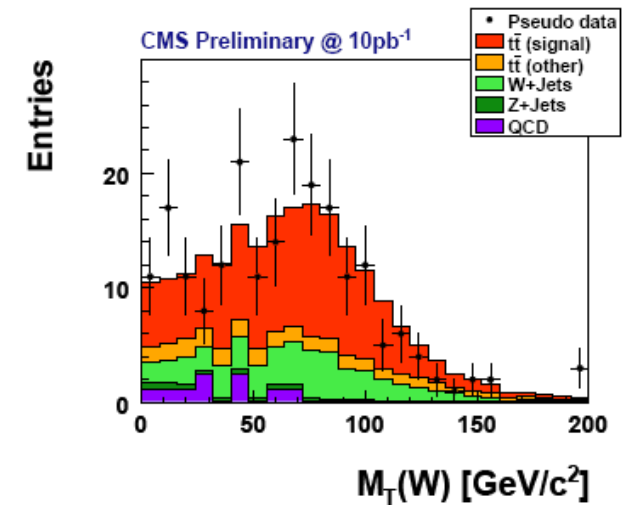
- Mis-tag rate can be controlled via data-driven methods.

- Several differential distributions can go beyond testing the Standard Model and are sensitive to new physics
- We need to understand the SM part of the distribution before we start looking in the part sensitive to new physics
- Including the systematic effects...

- **Examples:**

$H_T$ , MET,  $p_T^{\text{top}}$ ,  $p_T^{\text{ttbar}}$ ,  
 $p_T^{\text{lept}}$ ,  $m_{ll}$ ,  $m_T(\text{l}+\text{MET})$ ,  
 topo. variables, ...

- Need to increase the activity and ideas in this direction



❖ **Di-lepton top quark pairs have a clear topology**

- ❑ 2 b-jet and 2 isolated leptons with a different charge, selected with a large S/N
- ❑ exploit the performance of the lepton isolation criteria (CMS Note 2006/024)

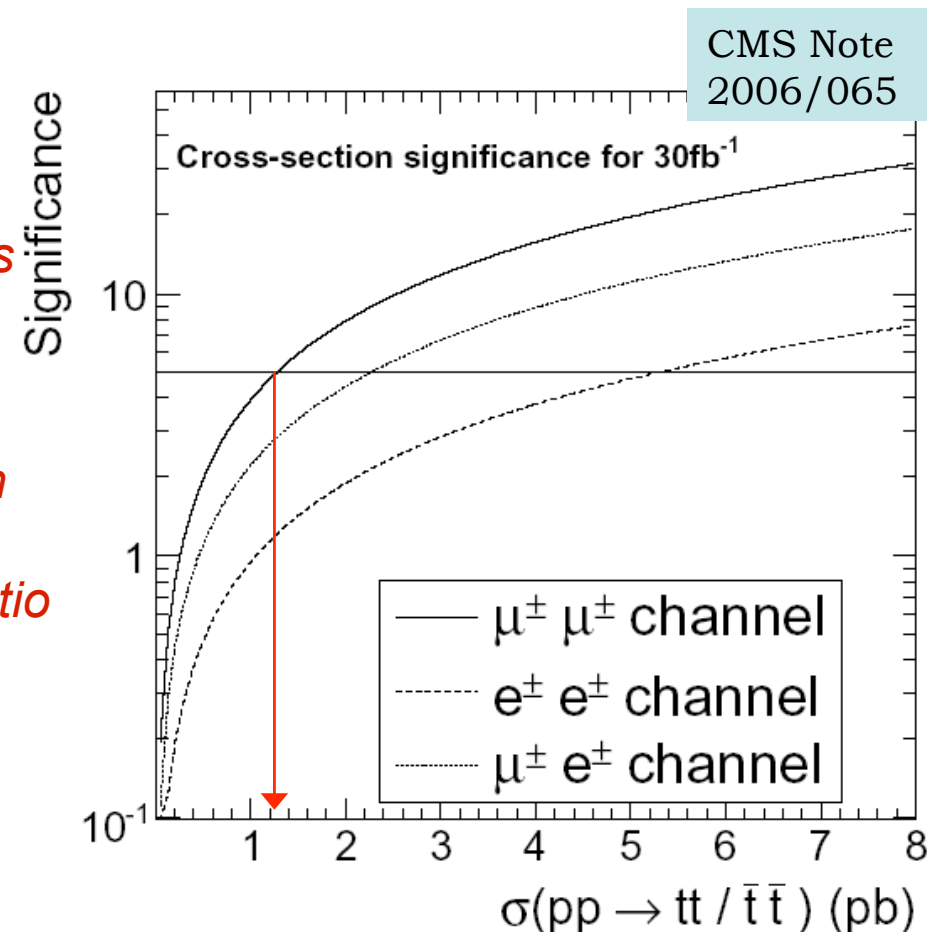
❖ **Motivation for this search**

- ❑ FCNC (in SM suppressed, Z' bosons in Topcolor assisted Technicolor (TC2))
- ❑ from top- and techni-pion in TC2 models
- ❑ in MSSM from for example gluino pairs

❖ **Variable to be measured is  $R = N^{++,--} / N^{+-}$**

- ❑ ratio of events with a pair of leptons with same and different electric charge
- ❑ most of the systematics cancel in the ratio

at  $30\text{fb}^{-1}$  a  $pp \rightarrow tt$  cross section of 1pb becomes visible as a  $5\sigma$  effect on the ratio R



- Many important analyses are not well covered today within CMS, hence consider this as a shopping list for newcomers!



1. W polarization (using the  $\cos\theta^*$  distribution)
2. Spin correlations between the top and anti-top quark
3. Mass difference between top and anti-top
4. The electric charge of the top quark
5. Fourth generation quarks ( $t'$ )
6. The fully hadronic channel
7. Using matrix element tools rather than a kinematic fit
8. Forward-Backward charge asymmetry
9. Top quark width
10. ...

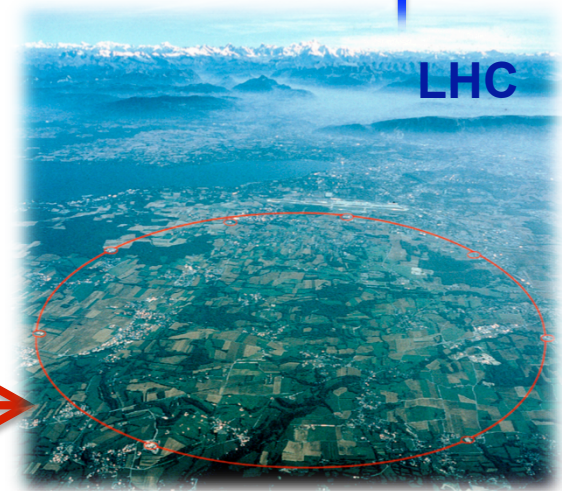
- All of these topics cover reconstruction issues, Standard Model issues and can search for new physics phenomena... hence an excellent topic for a small group of students and senior people!
- Most of these analyses are documented at the Tevatron or ATLAS...



# Putting the pieces together...



- **Top Quark physics is the key topic for the Tevatron and will be the key physics topic for 2-10TeV LHC collisions**
- **An understanding on the full process, from production over properties to decays, has still to arise**
- **The first measurements at the Tevatron do not reach the precision to discover new phenomena, the LHC data will open a new window on this heaviest quark**
- **An important ground for understanding the physics and reconstruction tools in hadron collisions**



## TOP2010 Conference

30<sup>th</sup> of May – 5<sup>th</sup> of June 2010  
Brugge, Belgium

CP3 - IIHE

